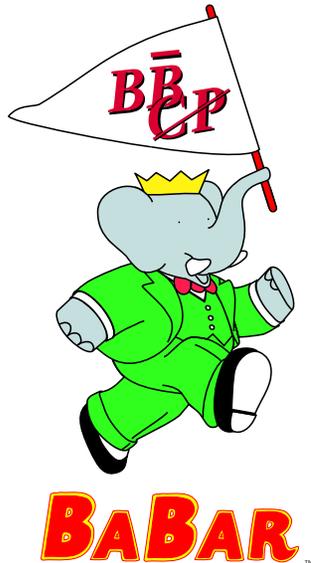


The Uncertainty Principle, the Quarks, and the Search for New Physics

Andrei Gritsan

Johns Hopkins University



March 29, 2007

JHU Physics Colloquium

Outline

- The Quarks

what we know and do not know in particle physics

- The Uncertainty Principle

quantum mechanics with elementary particles

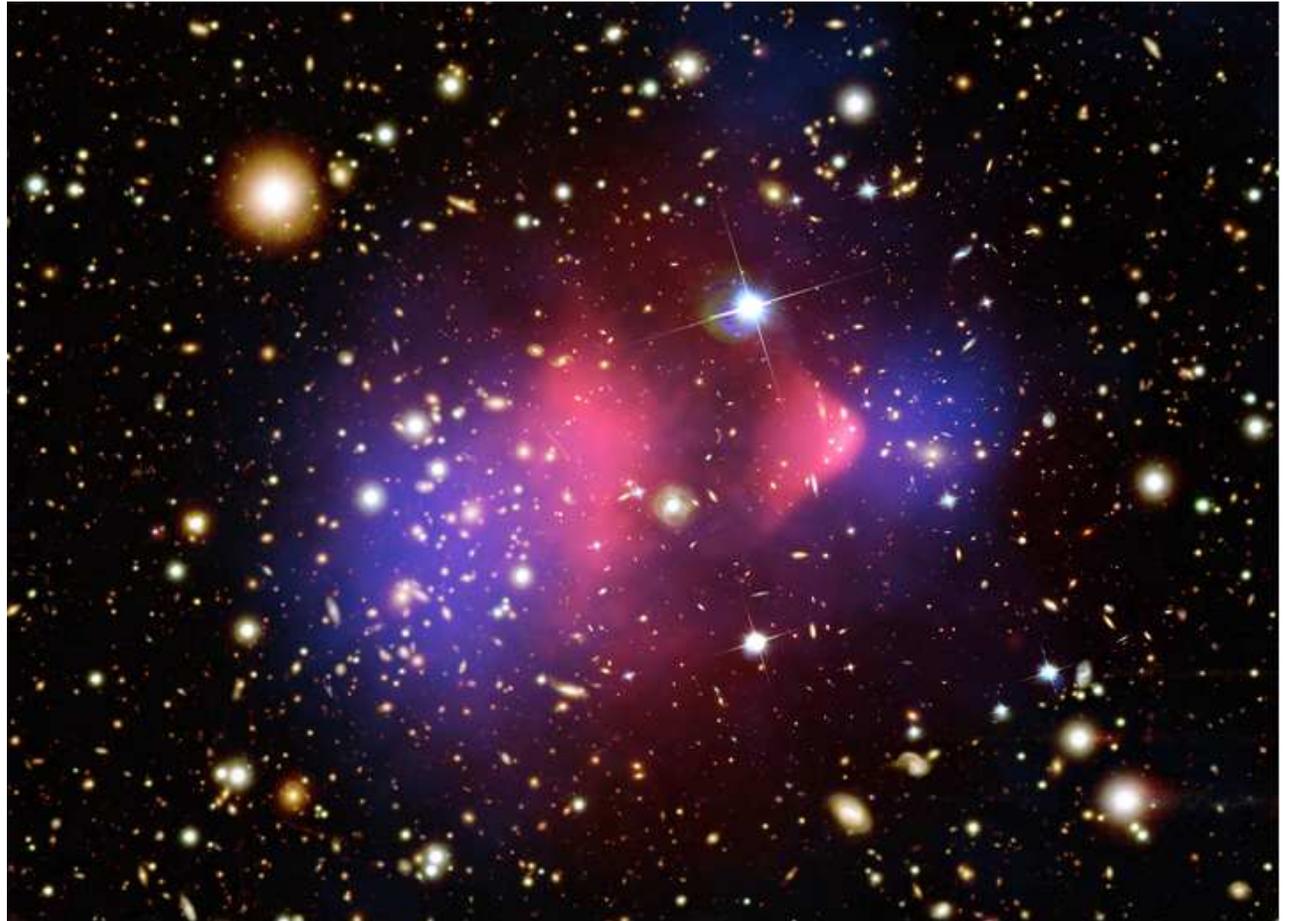
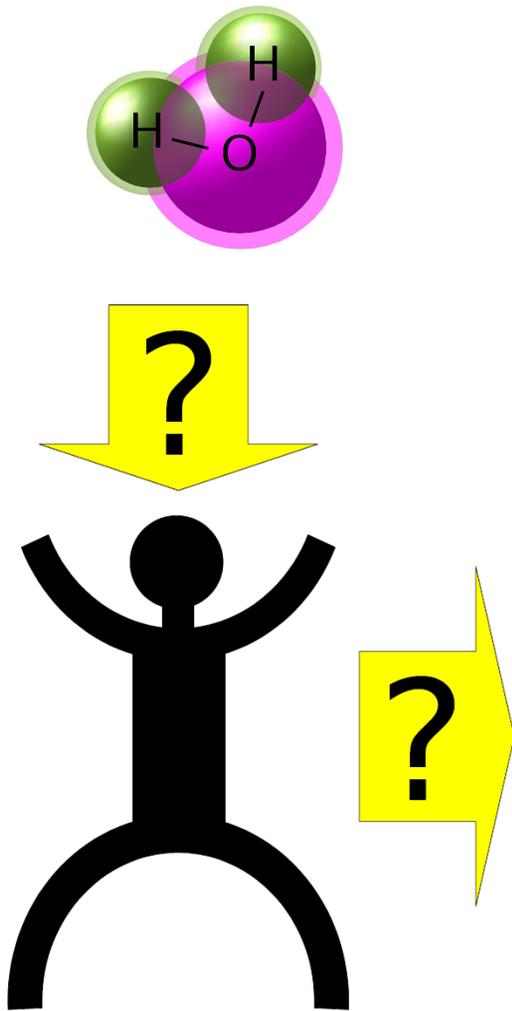
- The Search for New Physics

set up an experiment with spin correlations

Particle Physics: Trying to Reach Deep

- On the **smallest** and **largest** scale:

what are we made of and **why**



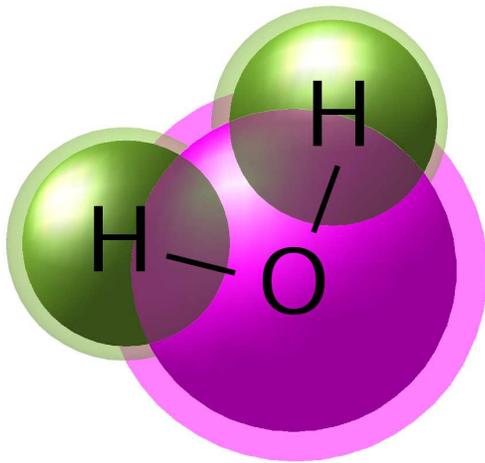
(Galaxy cluster 1E 0657-66: X-ray, Optical, Grav. Lensing)

Particle Physics

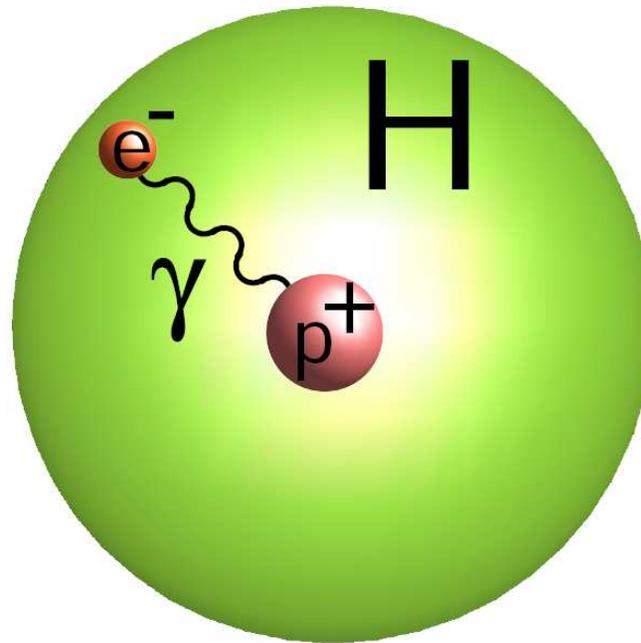
What We Already Know

From Molecules to Quarks

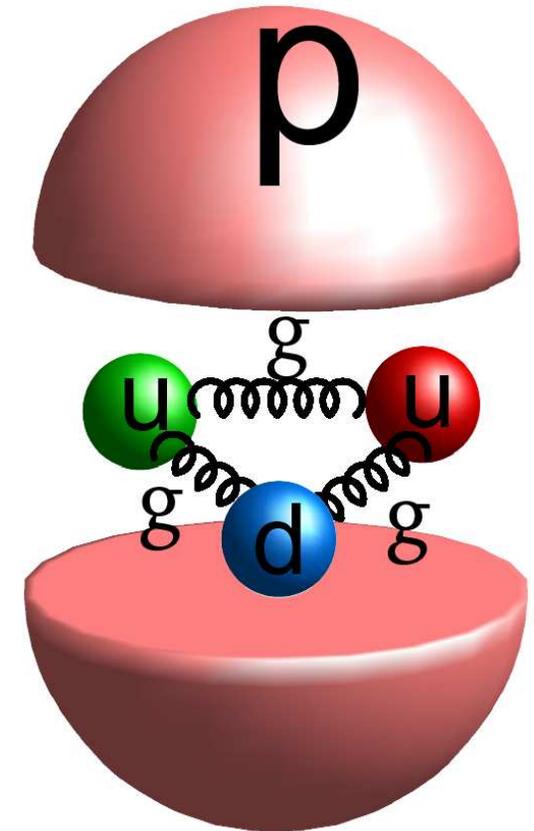
- XXth century: reaching deep into matter, **Quarks**



Chemistry



Atomic Physics

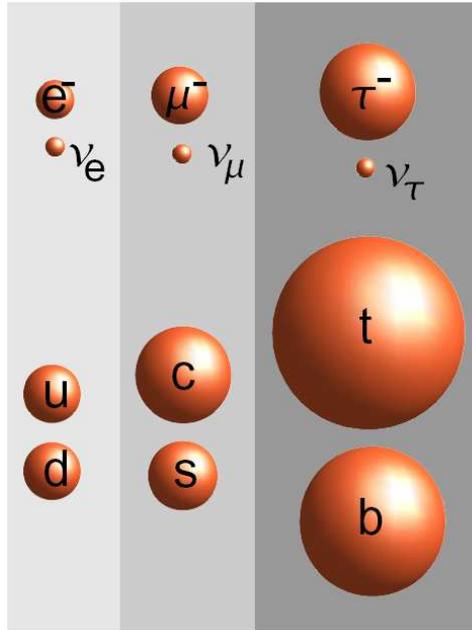


Particle Physics

Elementary Particles

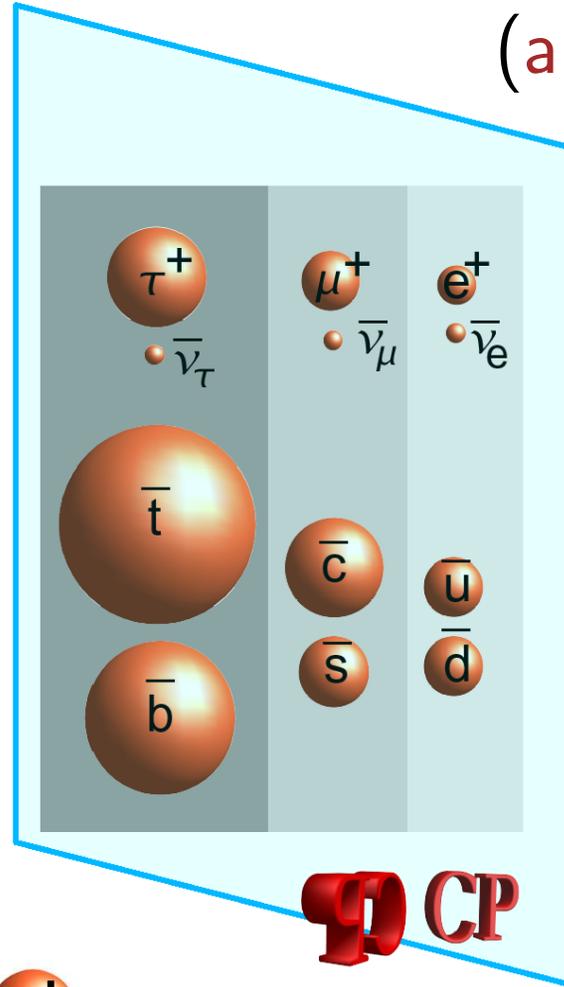
- Fermions $S = \frac{\hbar}{2}$ (matter)

leptons



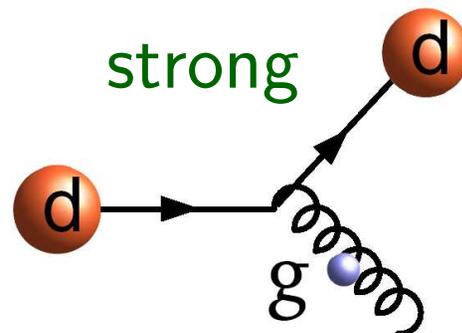
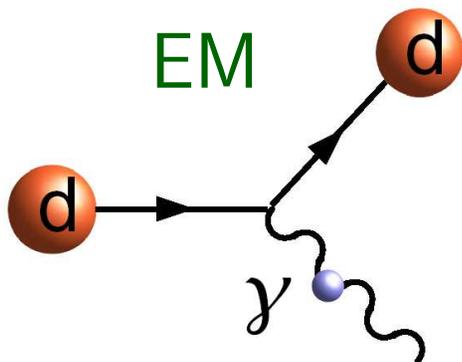
quarks

(anti-matter)



- Bosons $S = \hbar$ (force carries):

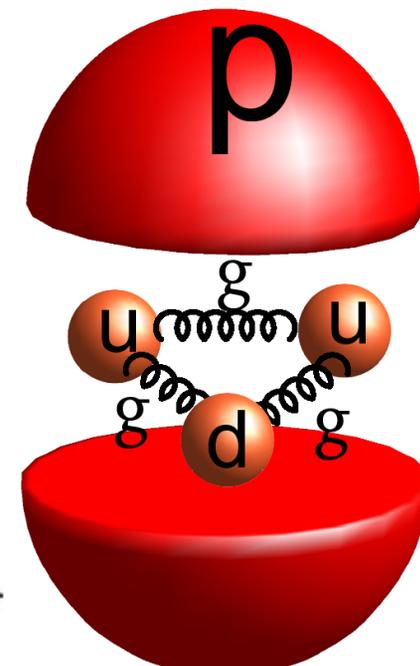
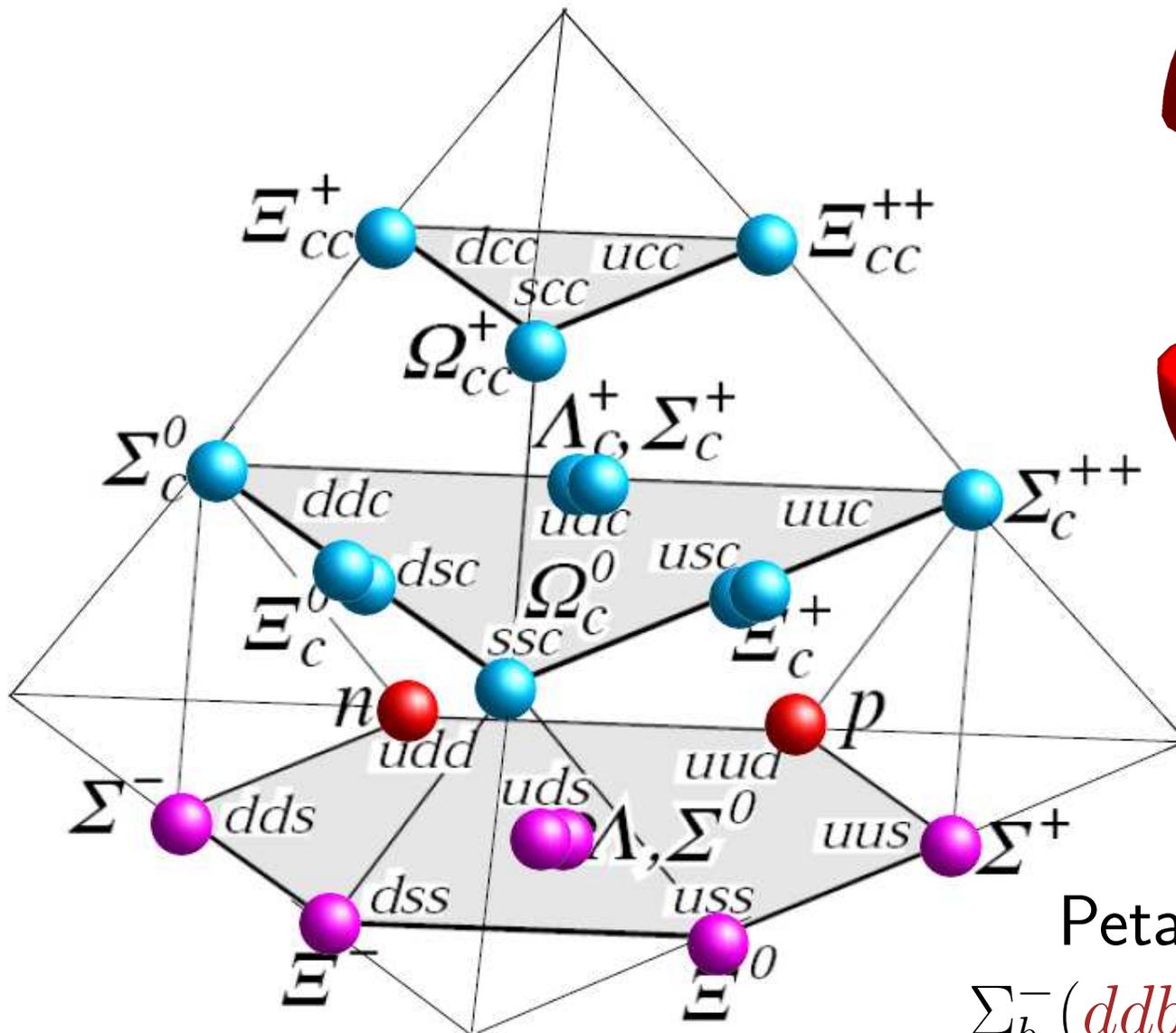
CP



(weak force later)

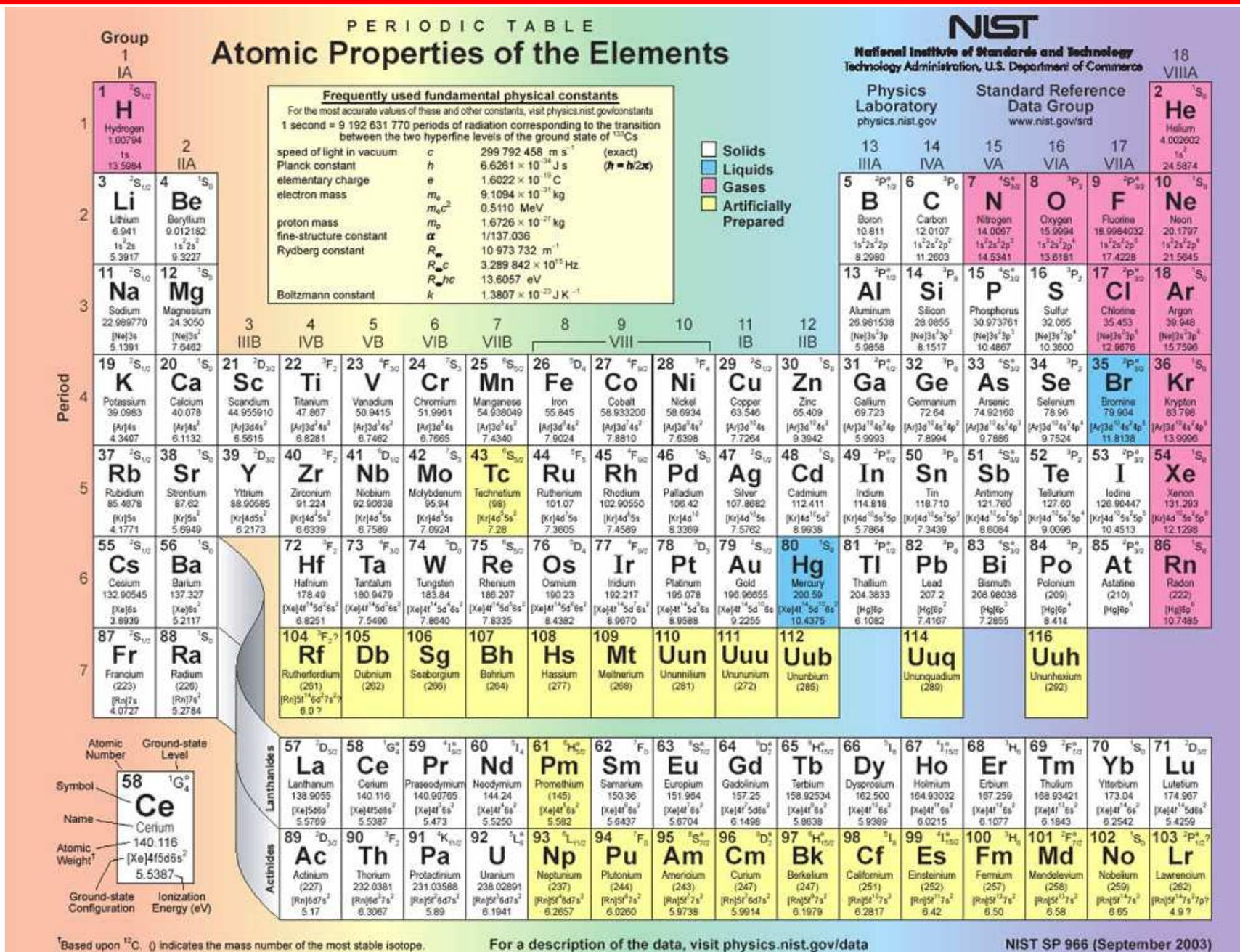
“Periodic Table” of Baryons: Proton, Neutron,...

- Three quarks make up a **Baryon**:



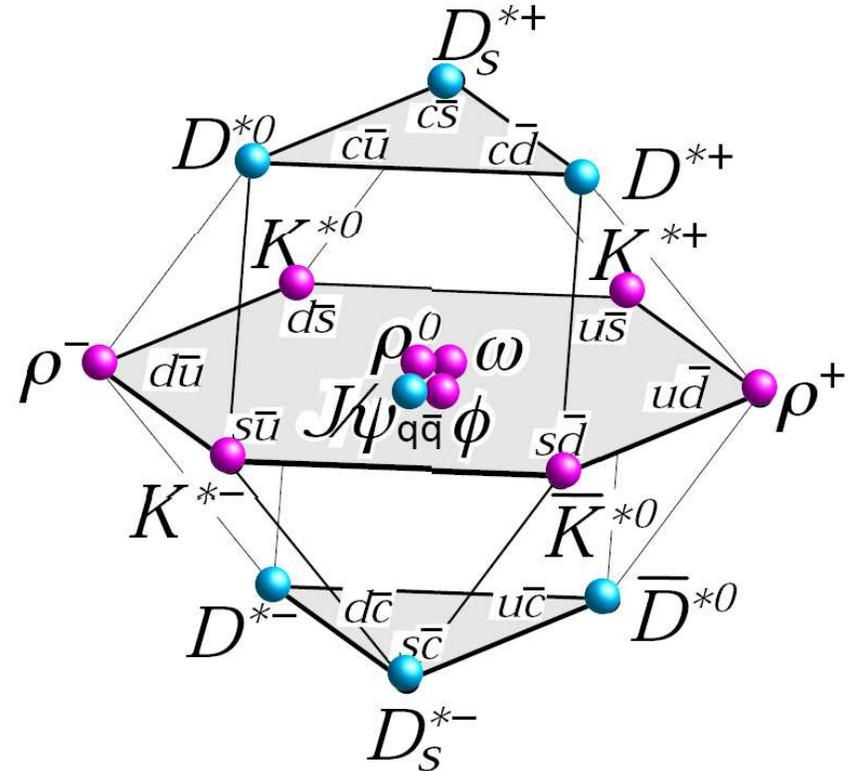
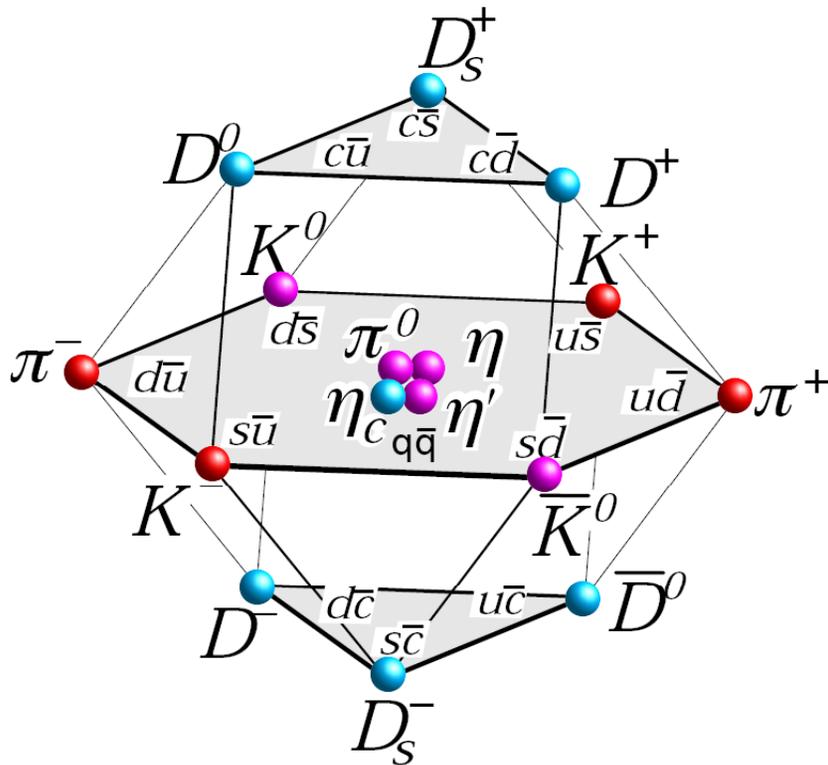
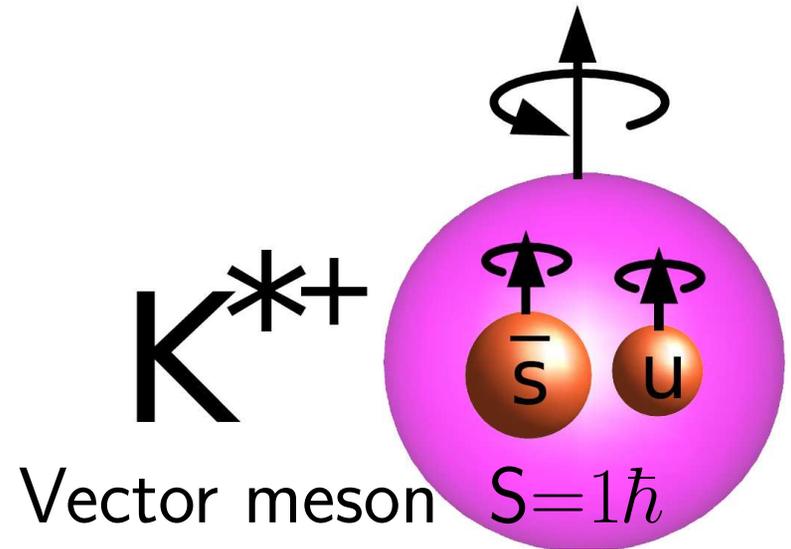
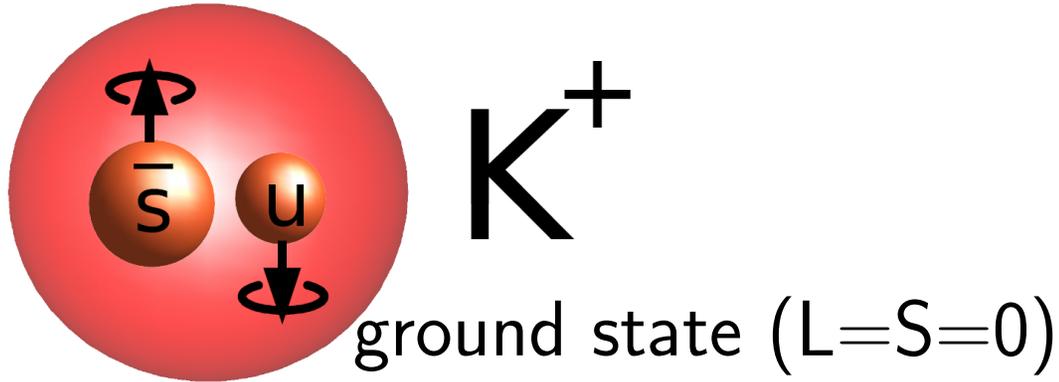
Petar's colloquium:
 Σ_b^- (*ddb*) and Σ_b^+ (*uub*)

Like Periodic Table of Atoms



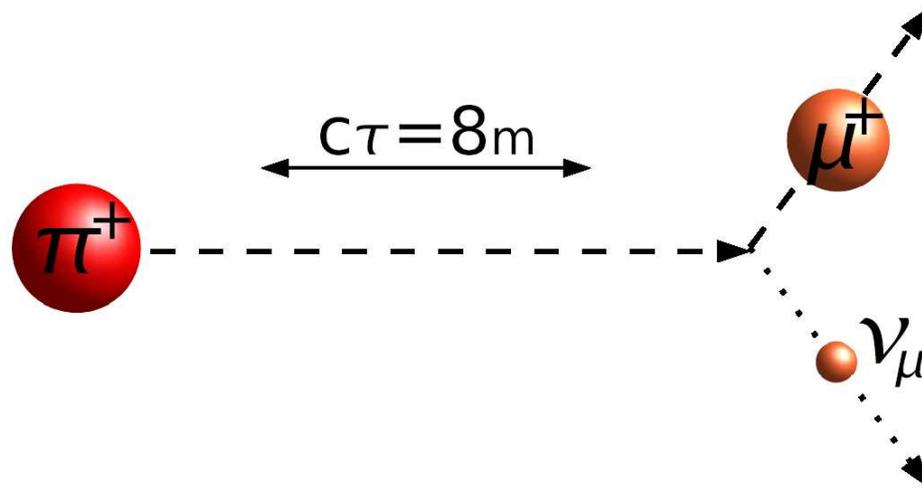
“Periodic Table” of Mesons

- Quark-antiquark make up a **Meson**:

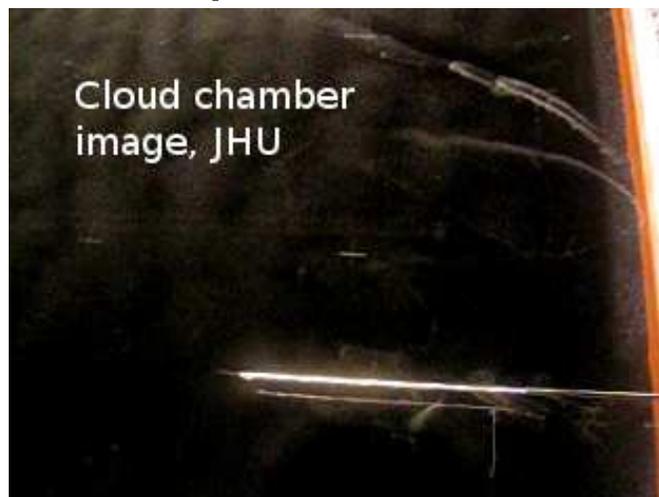


How do We “See” Particles

- We “see” semi-stable particles by “tracks” in matter:



- Table-top illustrations

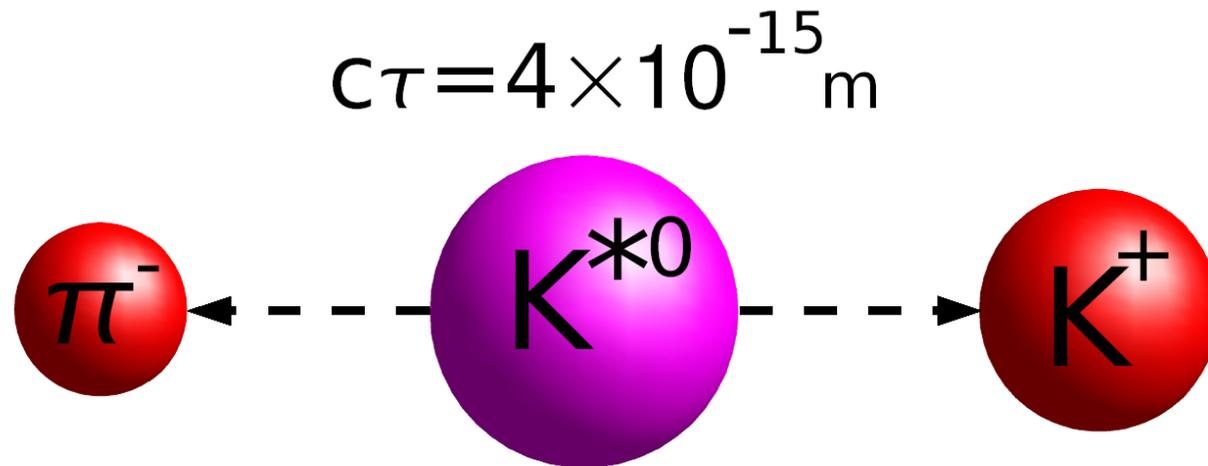


- Complex multi-ton detectors



How do We “See” Particles

- Most particles live too short to be “seen” directly
 - “see” decay products:



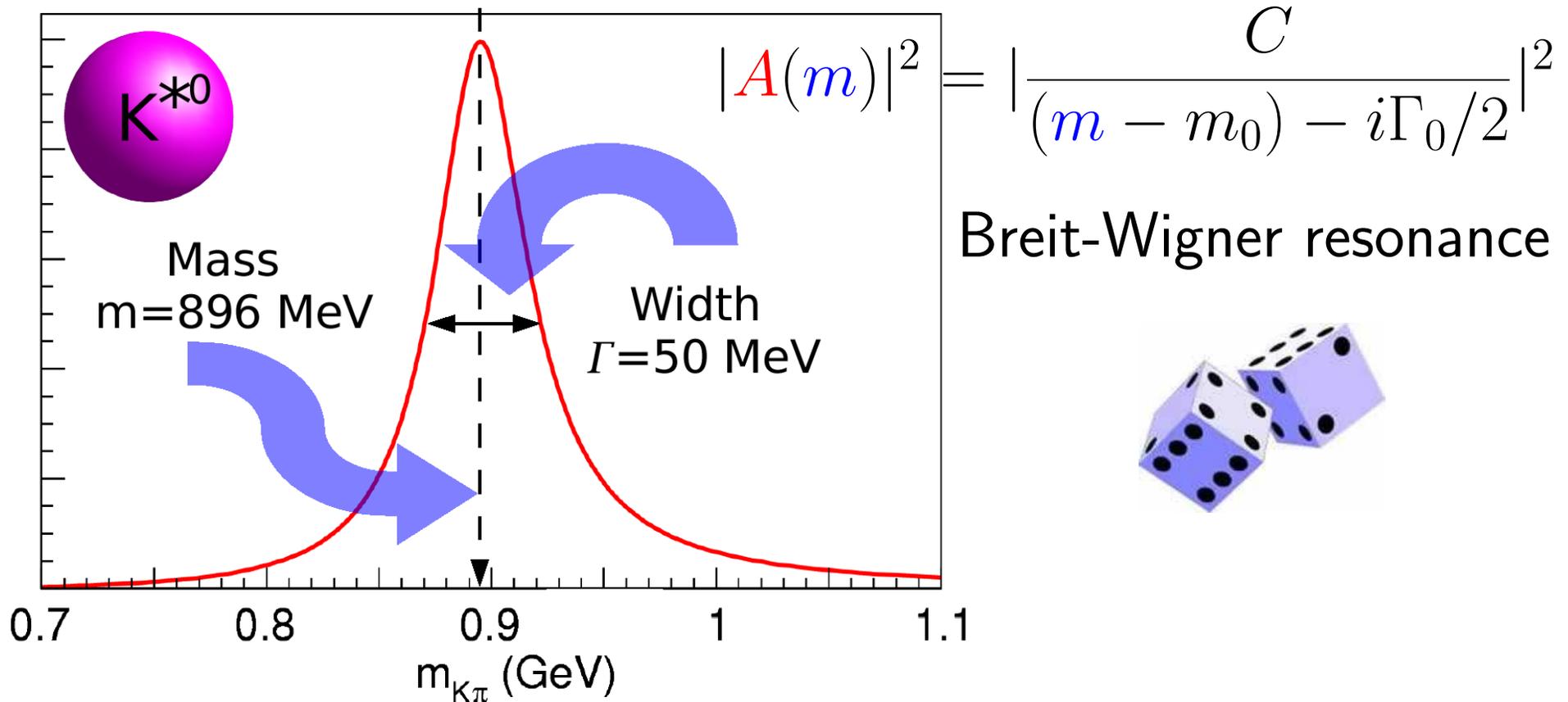
- Time (decay) and energy (resonance) amplitudes:

$$A(t) = A(0)e^{iE_0t/\hbar}e^{-\Gamma_0t/2\hbar} \quad \Rightarrow \quad |A(t)|^2 \propto e^{-\Gamma_0t/\hbar} = e^{-t/\tau_0}$$

$$A(E) = \int A(t)e^{iEt/\hbar}dt = \frac{C}{(E - E_0) - i\Gamma_0/2} \quad \Gamma_0 = \frac{\hbar}{\tau_0}$$

Unstable Particles

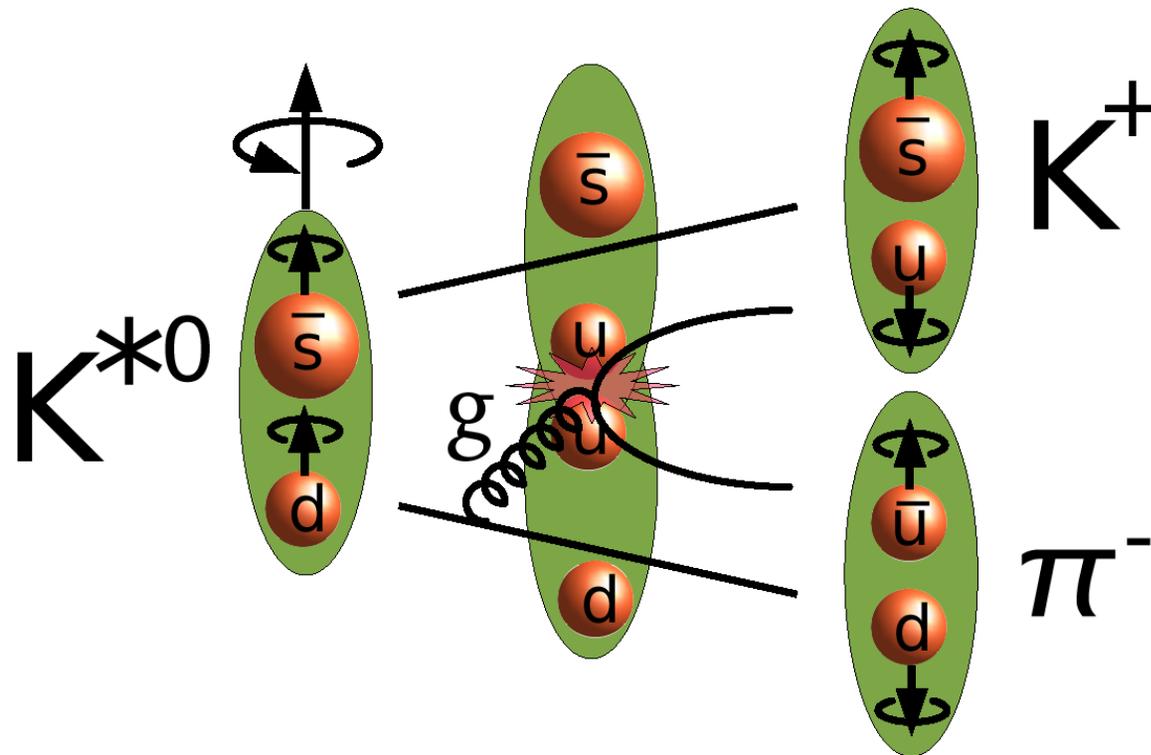
- The Uncertainty Principle (part 1): $\Gamma_0 \times \tau_0 = \hbar$
compare: $\Delta E \times \Delta t \sim \hbar$
- Probability $\propto |A(m)|^2$



Decay Dynamics

- Unstable **particles** decay

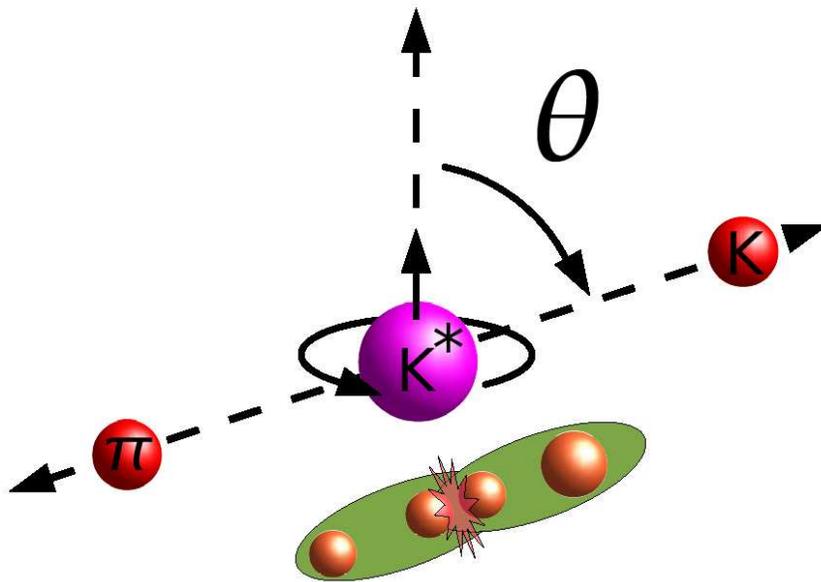
Feynman diagram:



- Decay \Rightarrow study **elementary particles** and **interactions**
(this “**strong**” decay is mostly understood)

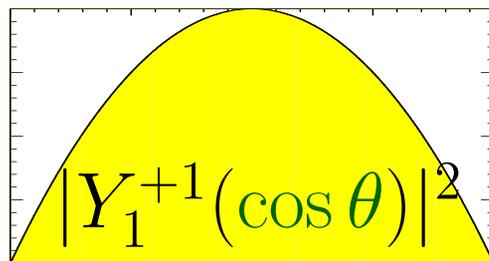
Decay Kinematics

- We often understand decay **dynamics** through **kinematics**

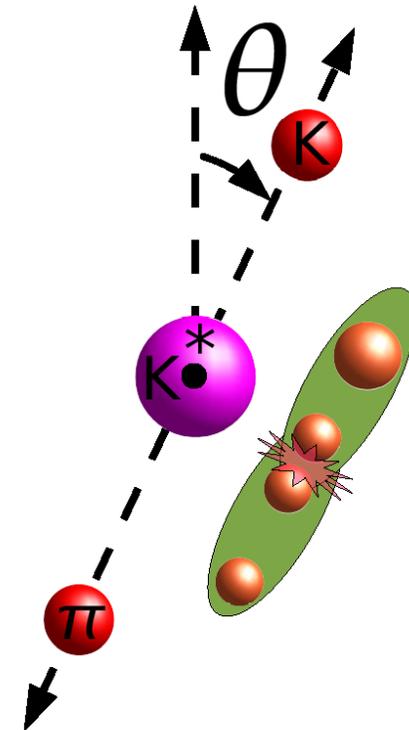


- Conservation of **orbital momentum**:

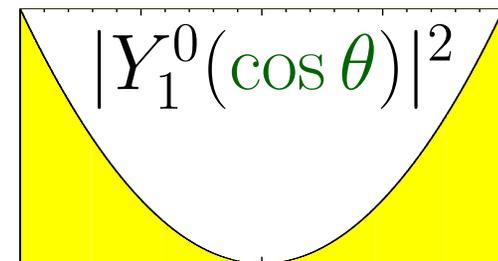
$$L_z = +1$$



$\cos \theta$

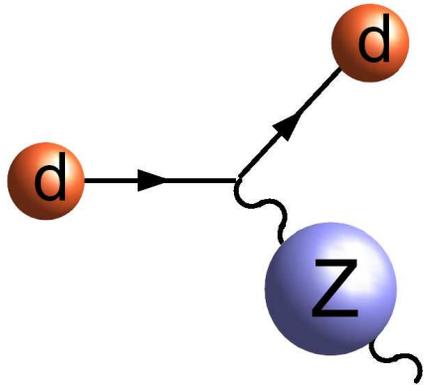


$$L_z = 0$$

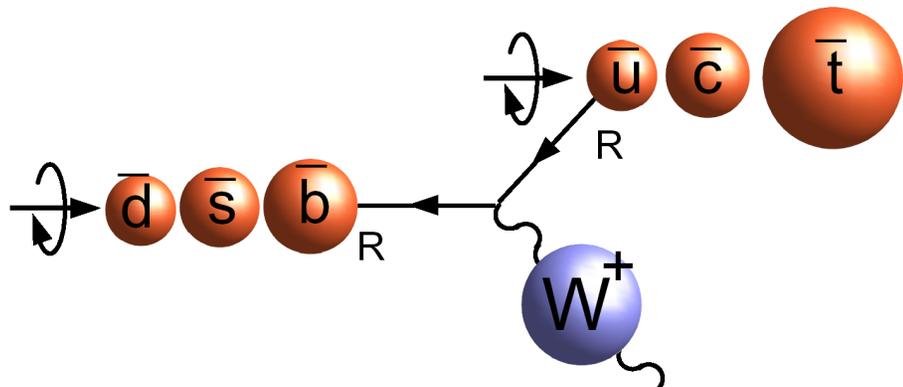
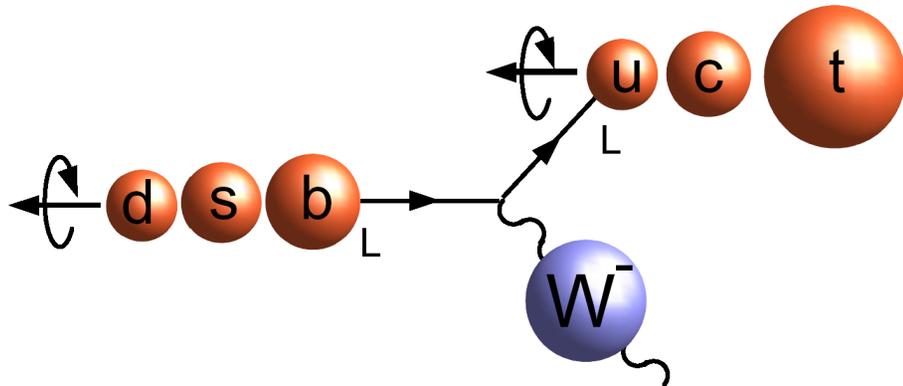


$\cos \theta$

Weak Interactions



- Massive carries \Rightarrow **weak** (short-range)
mass \sim 80-90 GeV



- Special interactions:

change **type** of quark

change **families**

left-handed fermions

$$\bar{q}\gamma^\mu(1 - \gamma^5)q$$

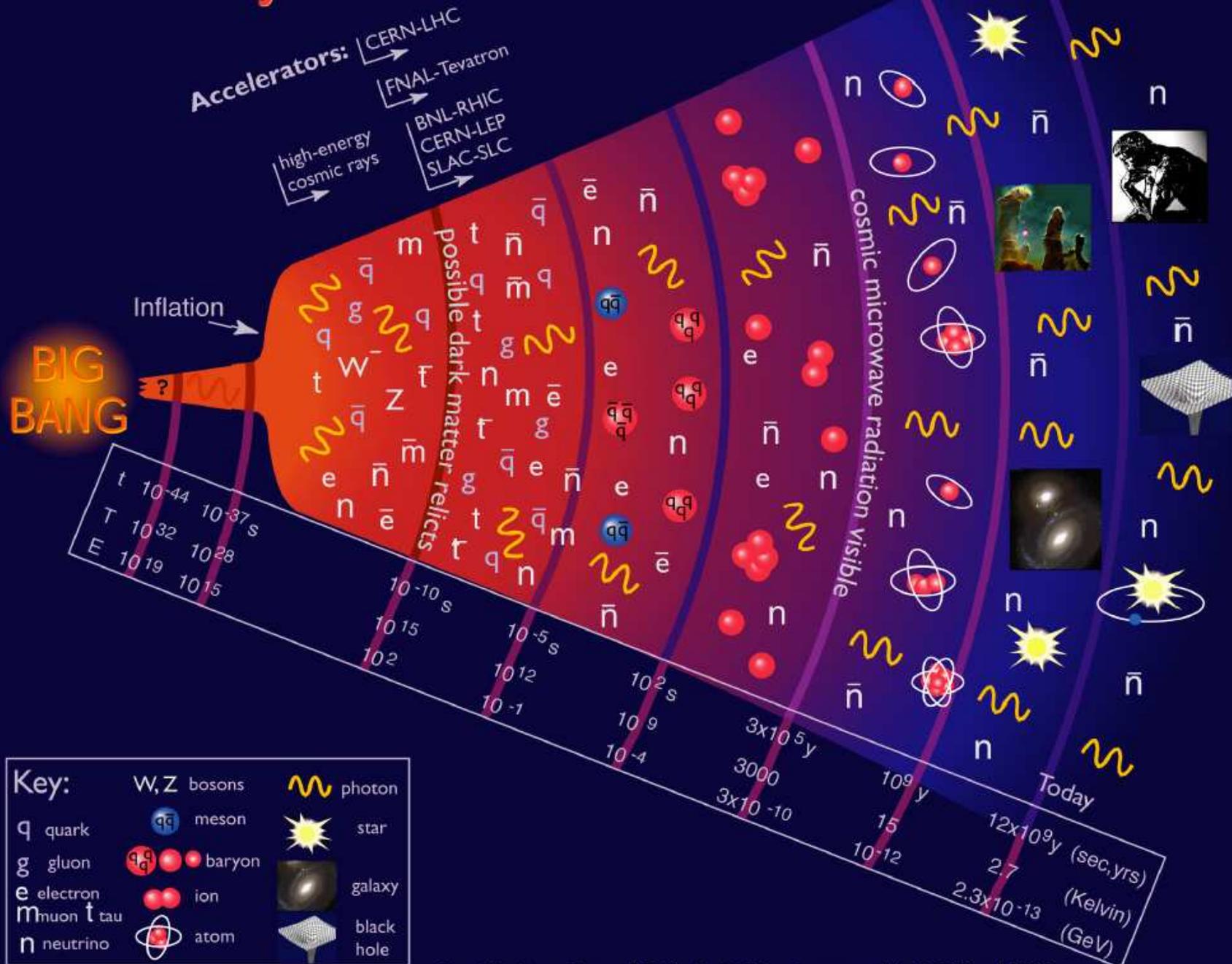
violate **P**arity and **C**

violate **CP** symmetry

Particle Physics

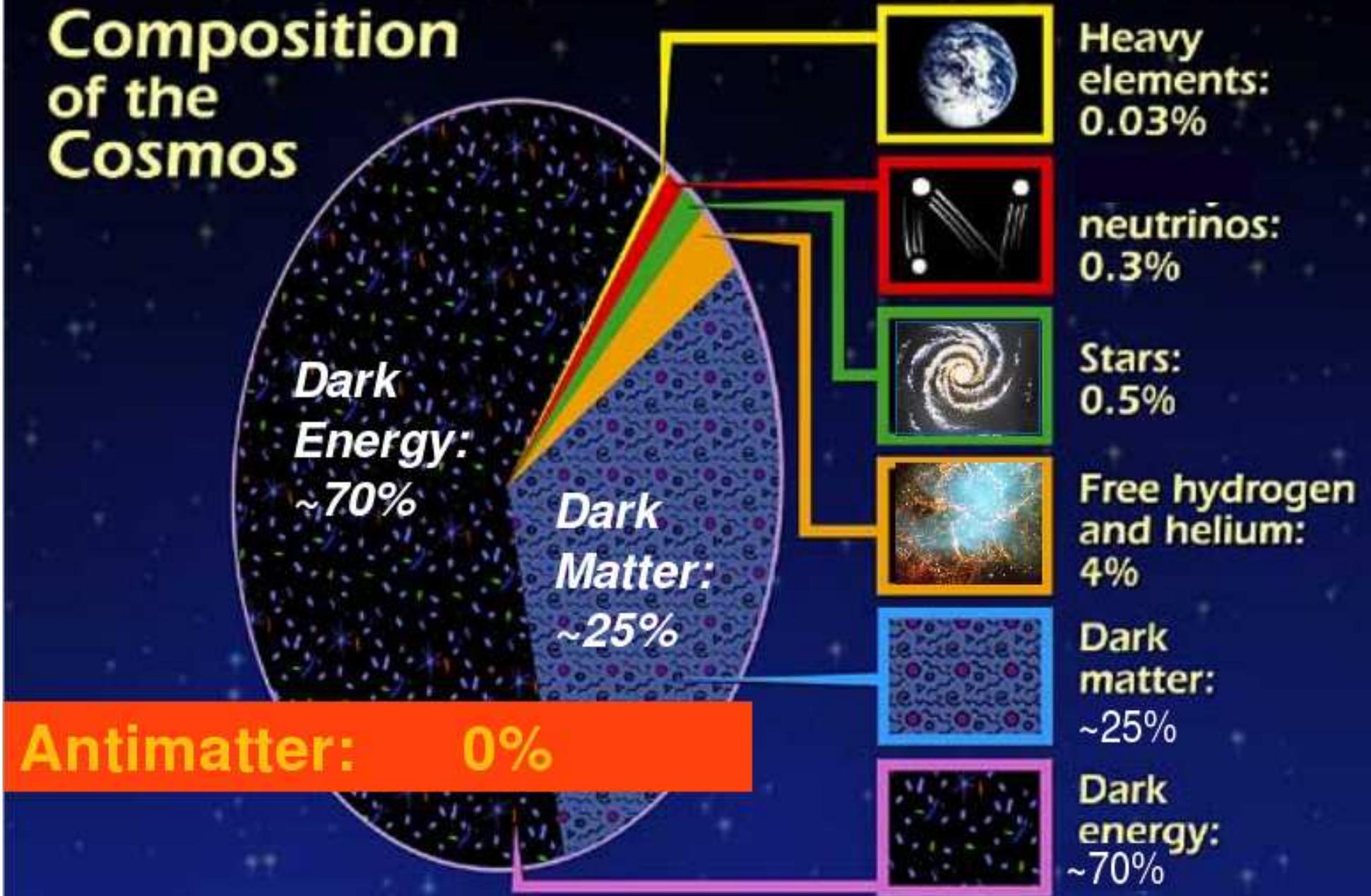
What We do not Know

History of the Universe



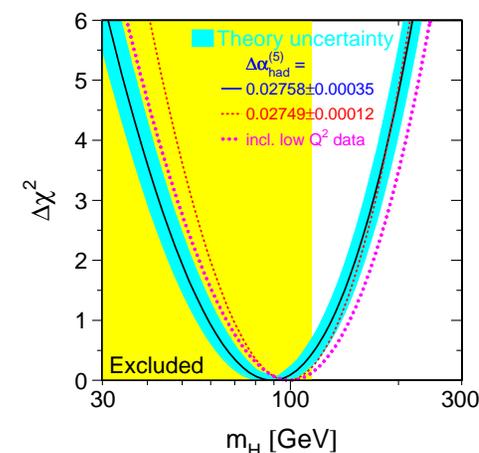
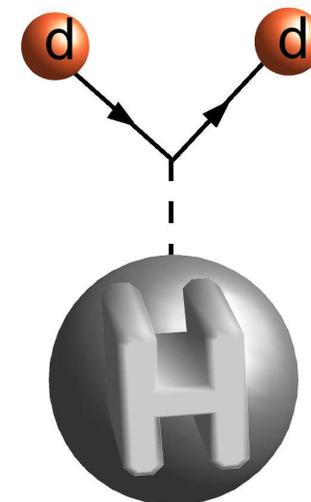
Particle Data Group, LBNL, © 2000. Supported by DOE and NSF

Composition of the Cosmos



Look Beyond the Standard Model

- Why does **matter** dominate (Sakharov):
 - *CP*-asymmetry
 - **baryon** non-conservation
 - **non-equilibrium**
- Mysterious *Higgs* field
 - gives mass to particles
- Need something **beyond** the SM
 - large *CP*-asymmetry
 - **dark matter**
 - light *Higgs*



Possible Extension: Super-Symmetry

- New (**super**)symmetry:

$$Q|\text{fermion}\rangle = |\text{boson}\rangle$$

$$Q|\text{boson}\rangle = |\text{fermion}\rangle$$

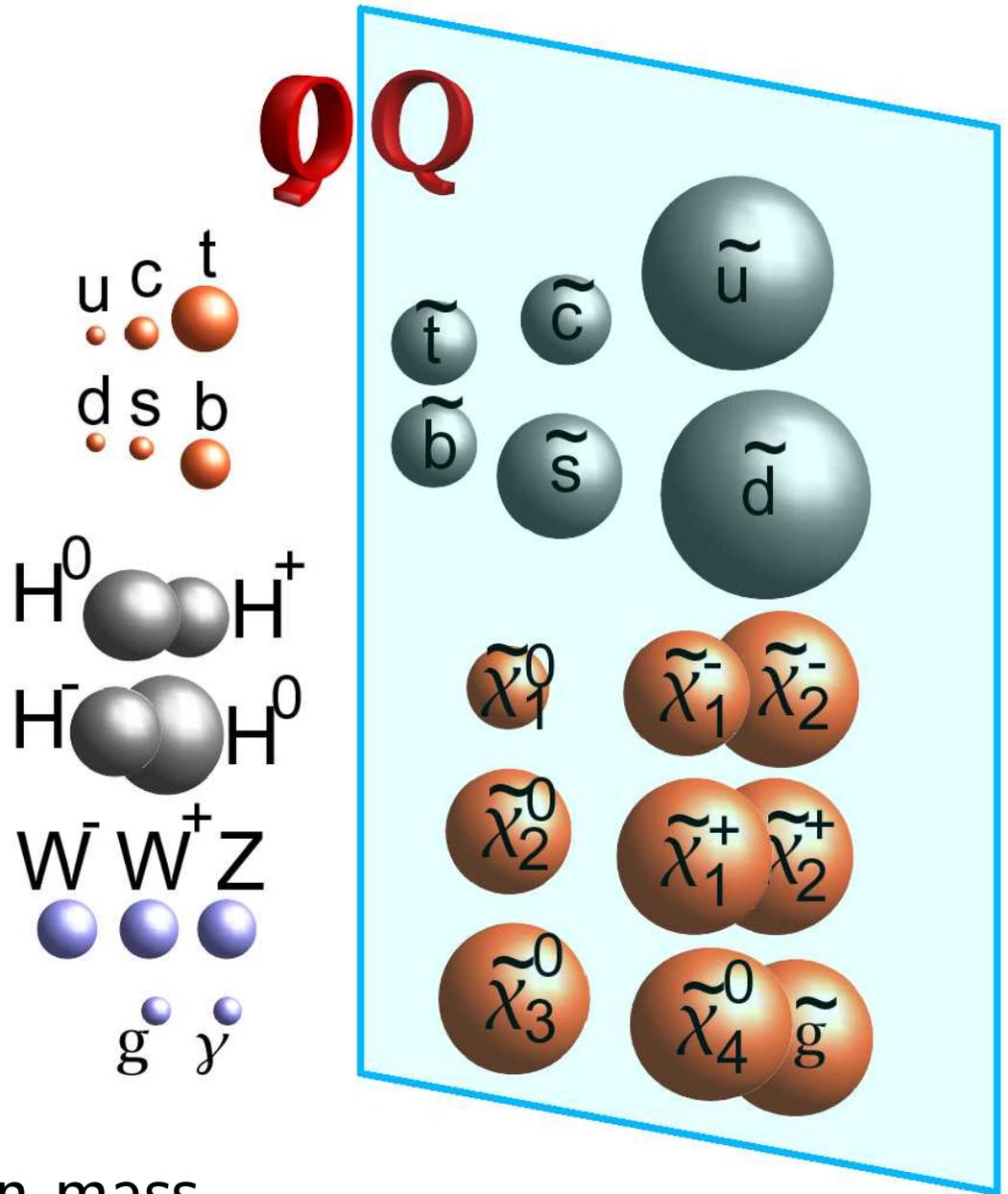
- Solve:

(1) natural light
Higgs fields

(2) dark matter
lightest $\tilde{\chi}_1^0$

(3) large *CP* phases

- Just around the corner in mass...

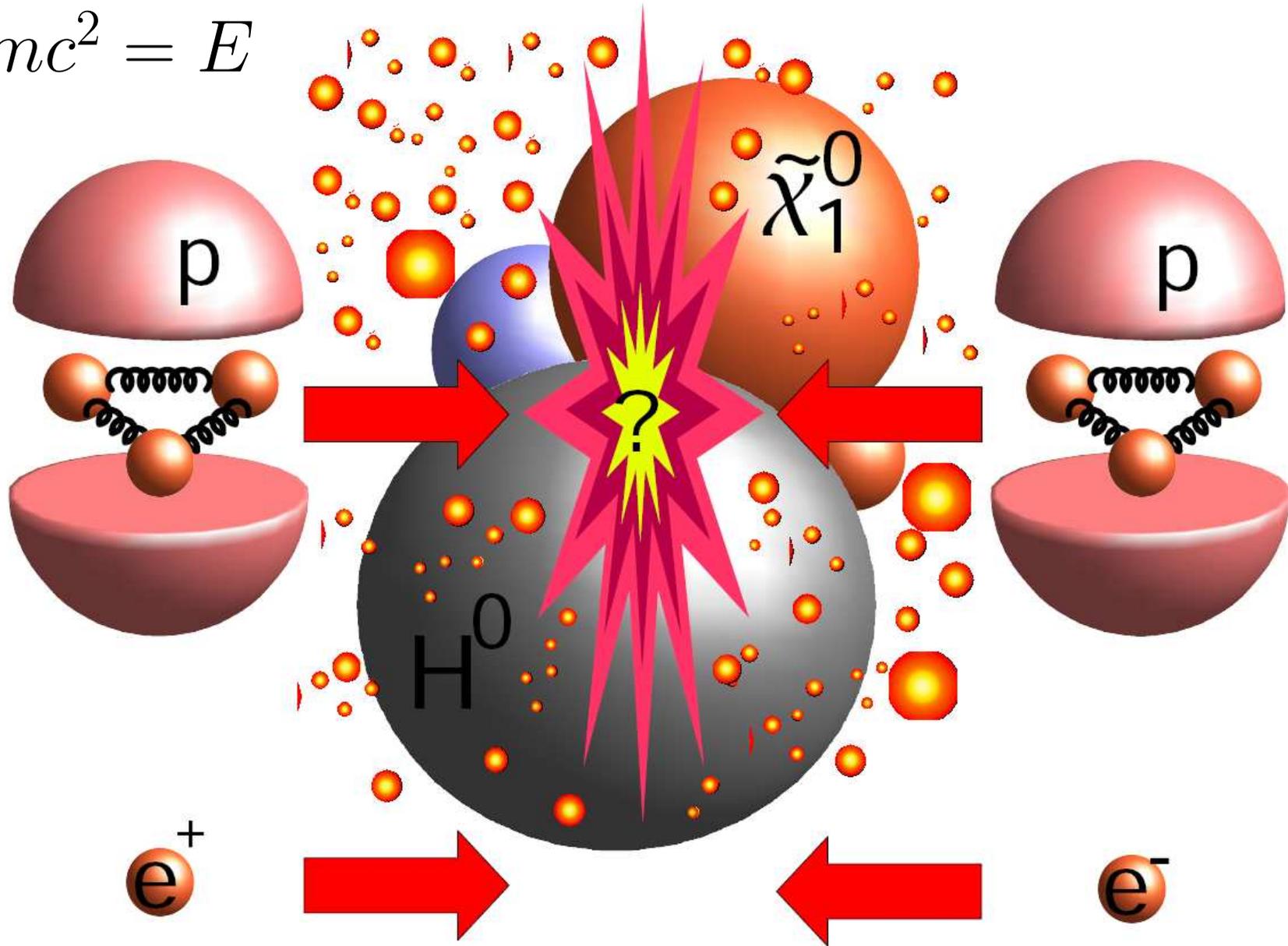


Particle Physics

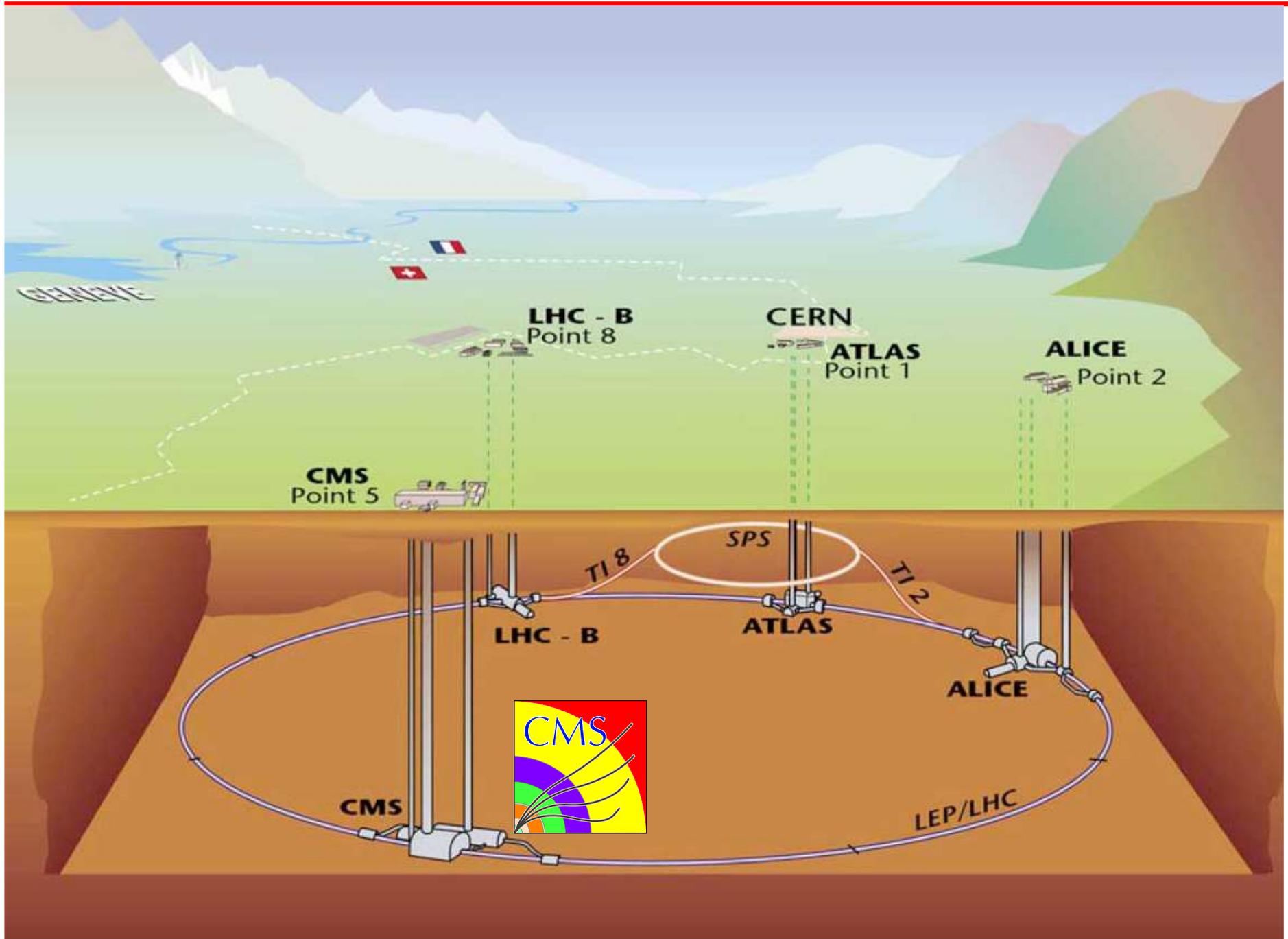
How to Reach Beyond

Reaching Highest Energy

- $mc^2 = E$



Large Hadron Collider: 2008

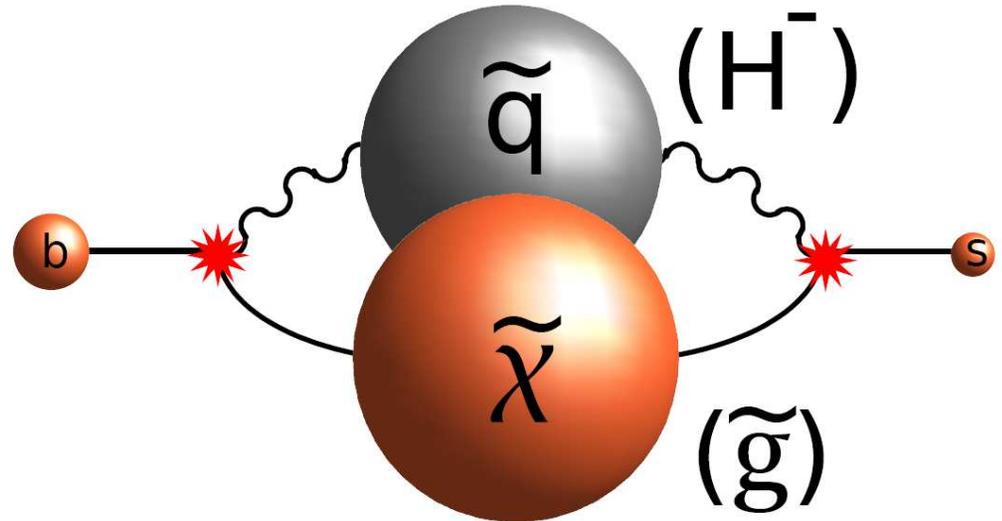


The Uncertainty Principle

- “Heavy” objects for a short instant Δt :

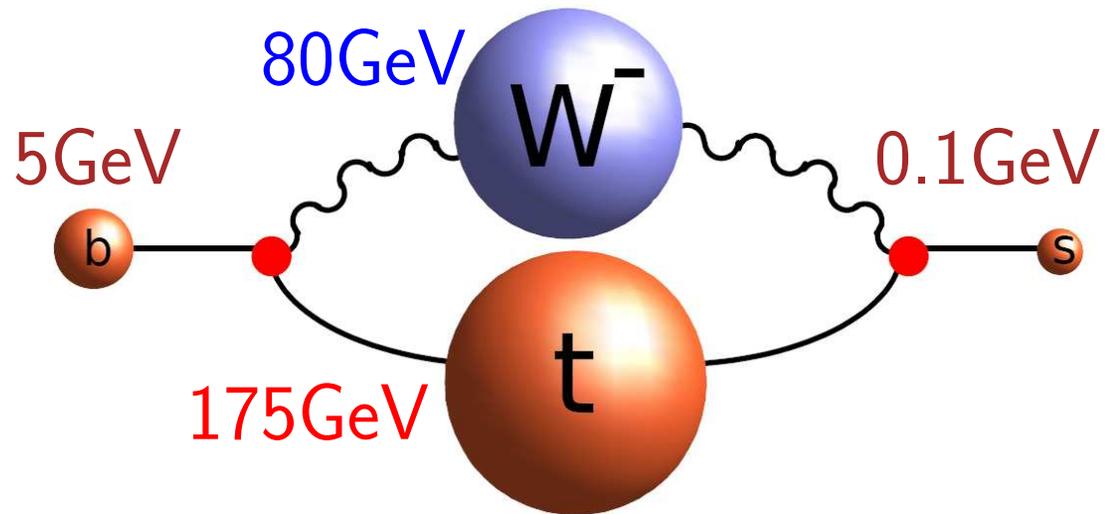
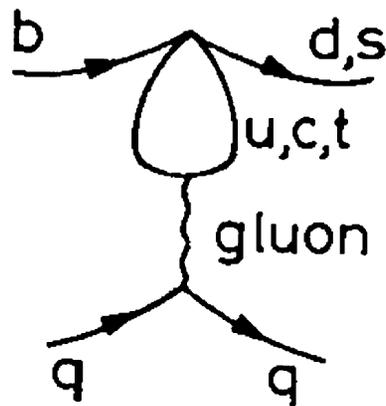
$$\Delta E \times \Delta t \sim \hbar$$

$$\text{get } \tilde{m}c^2 \sim \Delta E \sim 500\text{GeV}$$



- Possible:

“penguin” loop

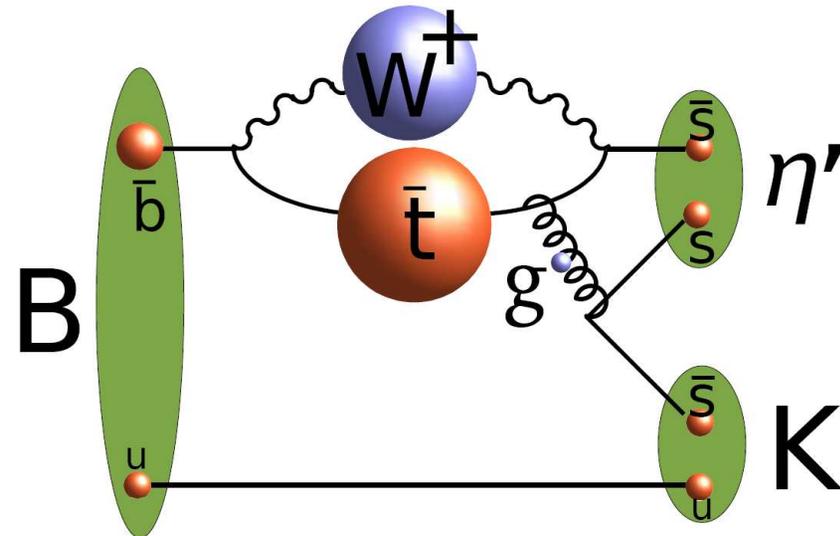
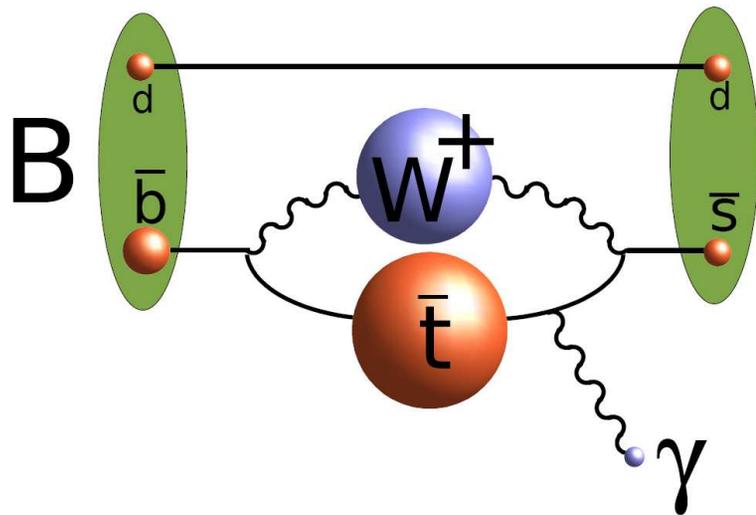


Observation of “Penguins”

- 1975: importance of “penguin”, observation on CLEO-II:

1993: EM “penguin”

1997: gluonic “penguin”



- rate $\sim 3.5 \times 10^{-4}$
best **New Physics** limits

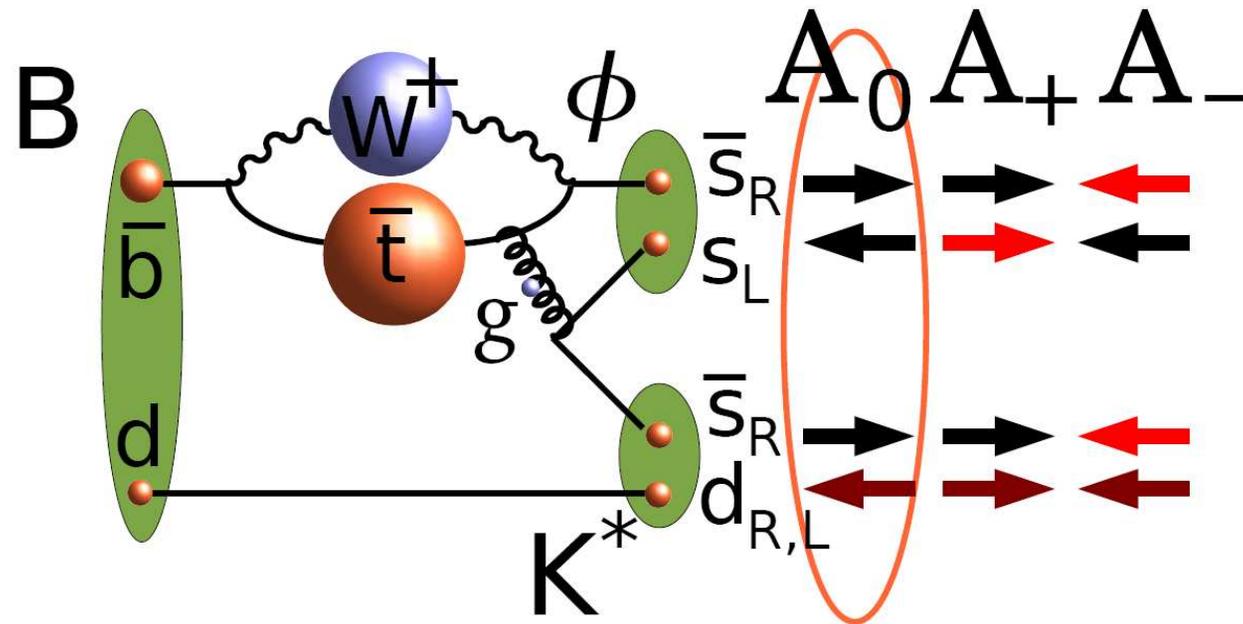
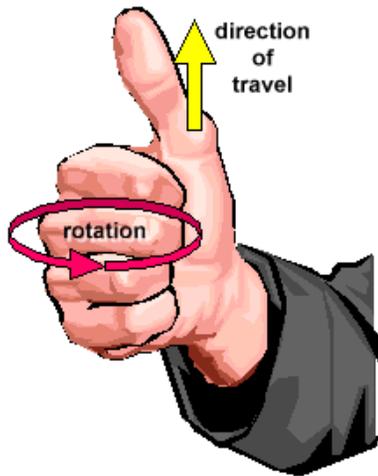
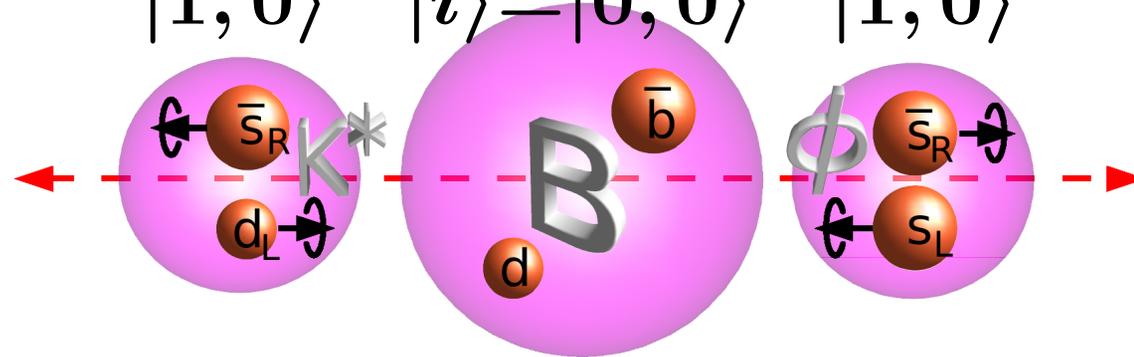
- harder due to **gluons**
fun Ph.D. discovery

- “Physics Book:” measure **size** or **phase** of $A = |A| \times e^{i\phi}$

New Test: Polarization

- new “penguin” $B \rightarrow \phi K^*$ with vector mesons

$$|S, S_z\rangle = |1, 0\rangle \quad |i\rangle = |0, 0\rangle \quad |1, 0\rangle \quad \Rightarrow A_0$$



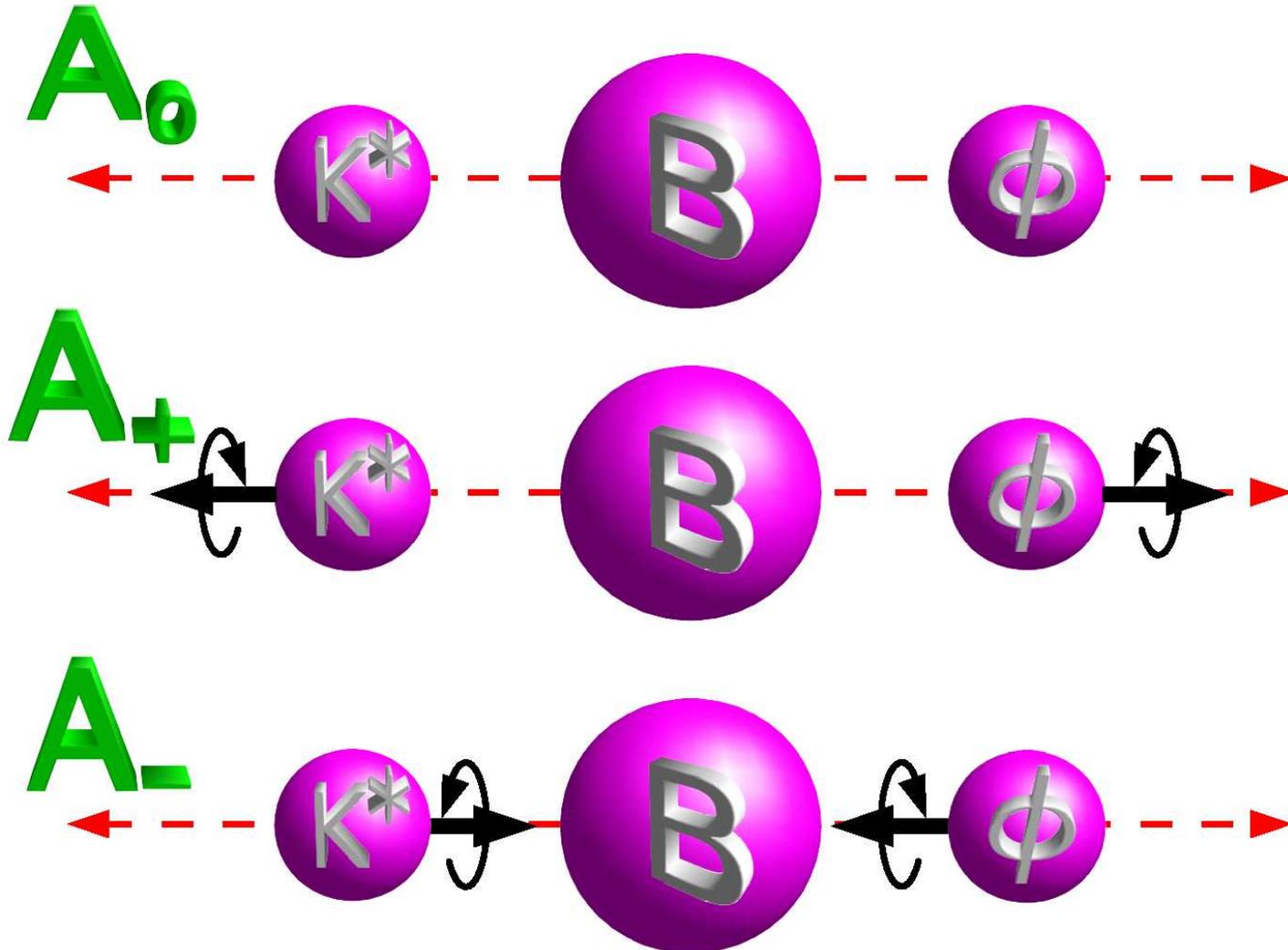
$$|A_0|^2 \gg |A_+|^2 \gg |A_-|^2$$

$$\text{suppression} \sim (m_\phi/m_B)^2 \sim 1/25$$

Polarization Experiment

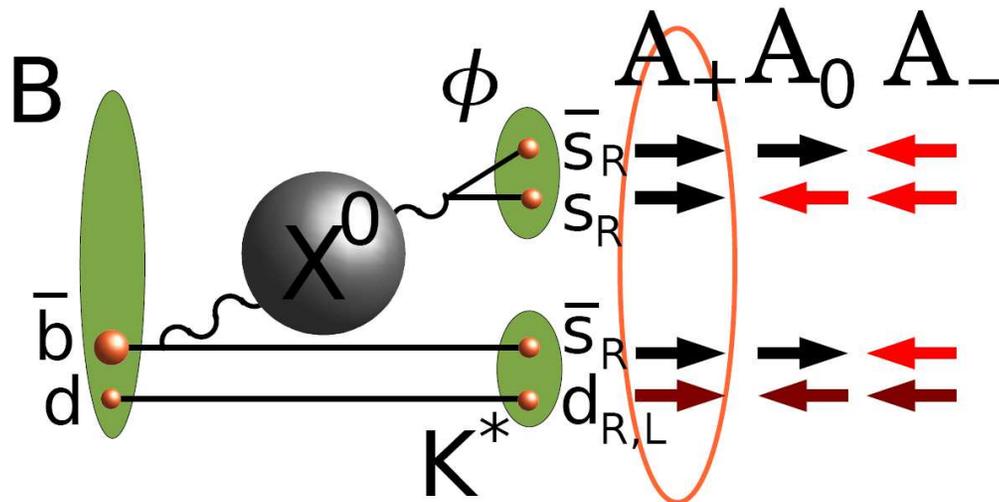
- Goal: (1) find $B \rightarrow \phi K^*$, (2) find spin projections

expected probability $\propto |A_0|^2 \gg |A_+|^2 \gg |A_-|^2$



New Physics in Polarization

scalar interaction



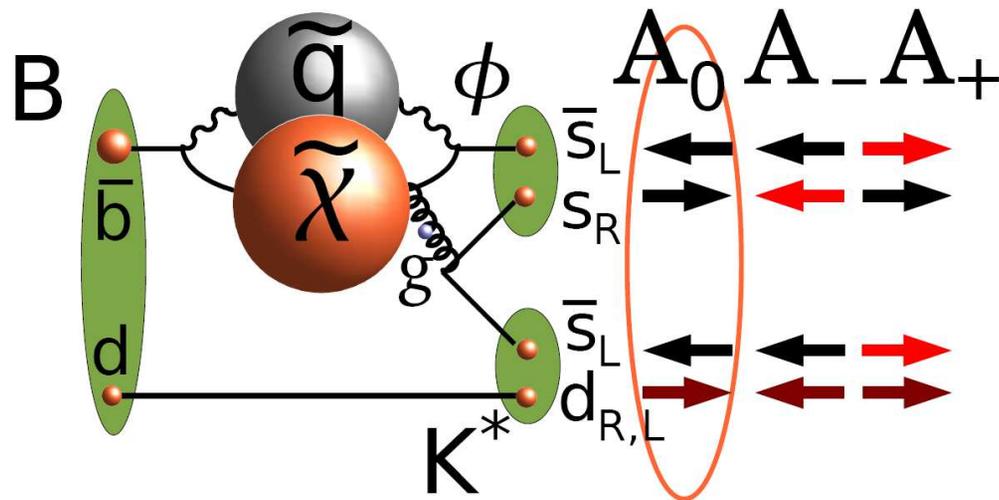
violate $|A_0|^2 \gg |A_+|^2 \gg |A_-|^2$

$$\bar{q}\gamma^\mu(1 - \gamma^5)q$$

$$|A_+|^2 \gg |A_0|^2 \gg |A_-|^2$$

$$\bar{q}(1 + \gamma^5)q$$

supersymmetry



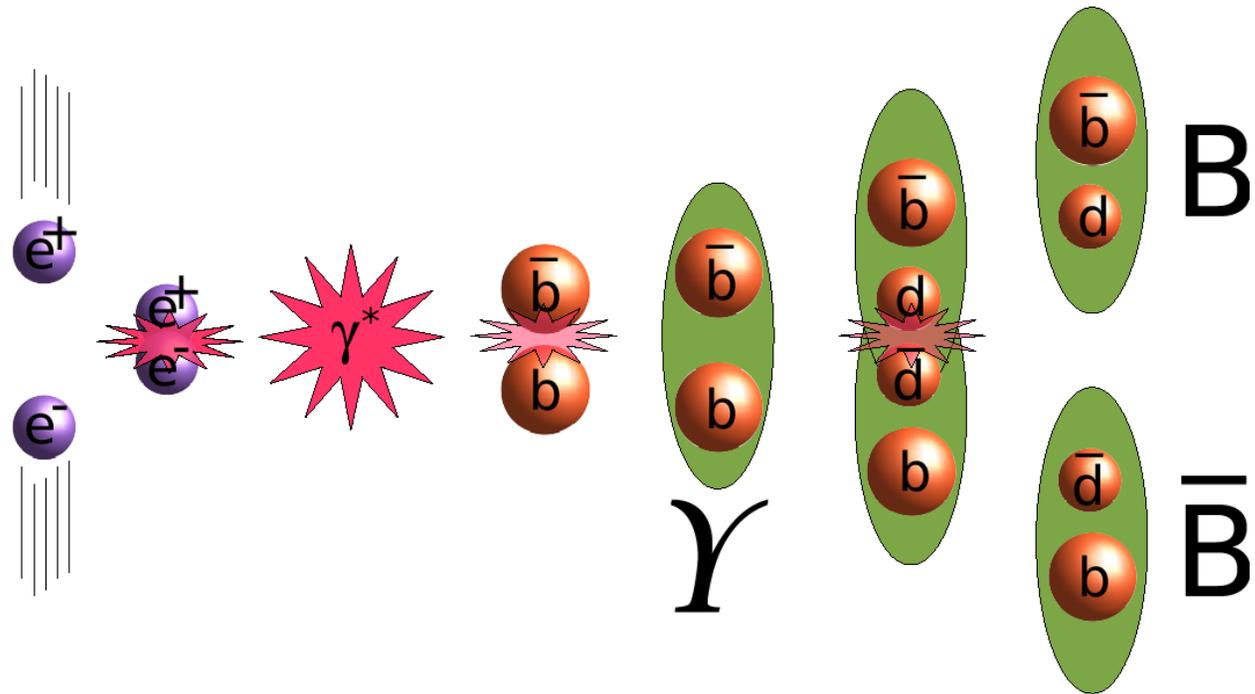
$$|A_0|^2 \gg |A_-|^2 \gg |A_+|^2$$

$$\bar{q}\gamma^\mu(1 + \gamma^5)q$$

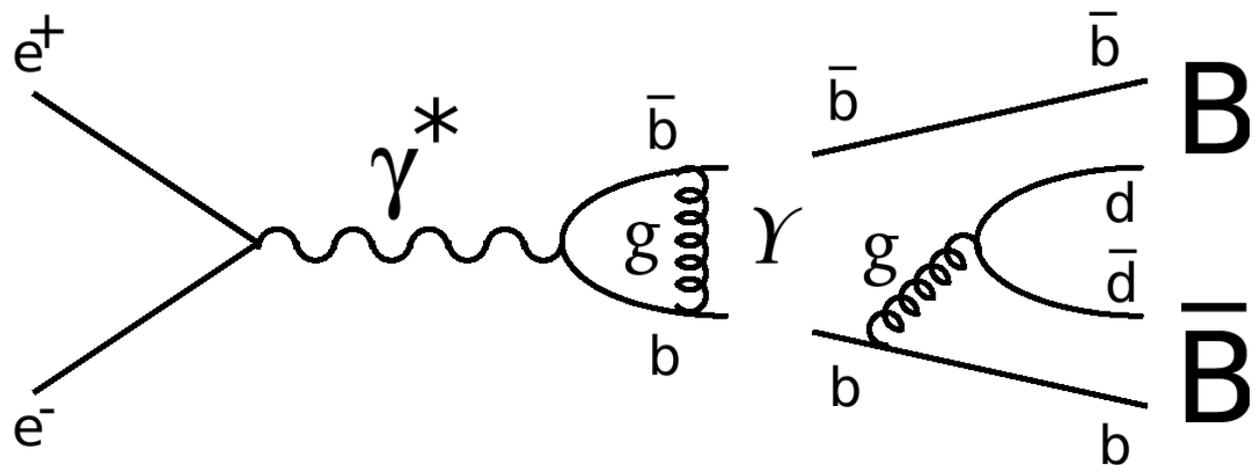
Particle Physics Laboratory

Producing the B Mesons

- Kinematics:

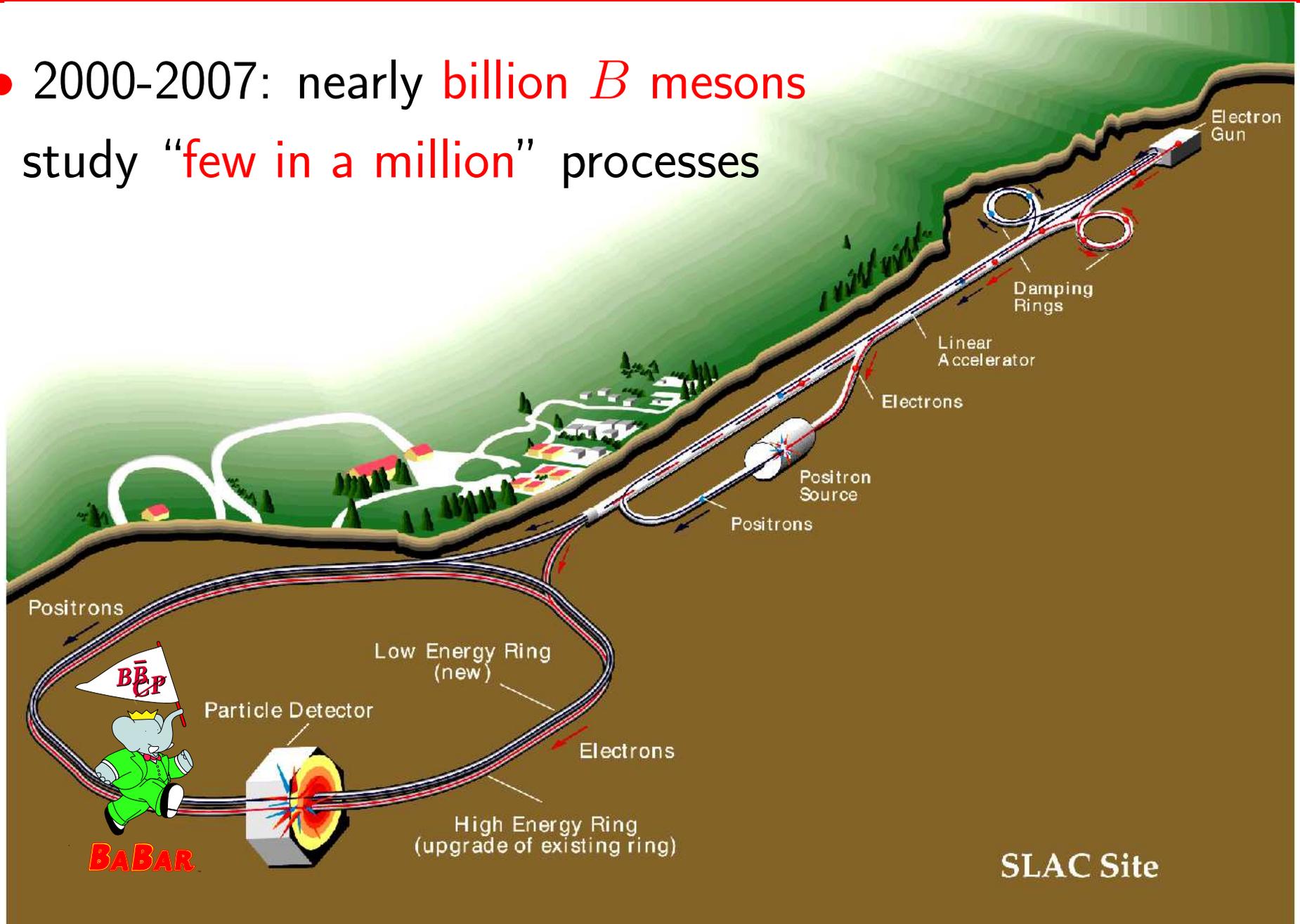


- Dynamics:



Producing the B Mesons

- 2000-2007: nearly **billion B mesons** study “**few in a million**” processes



Producing the B Mesons



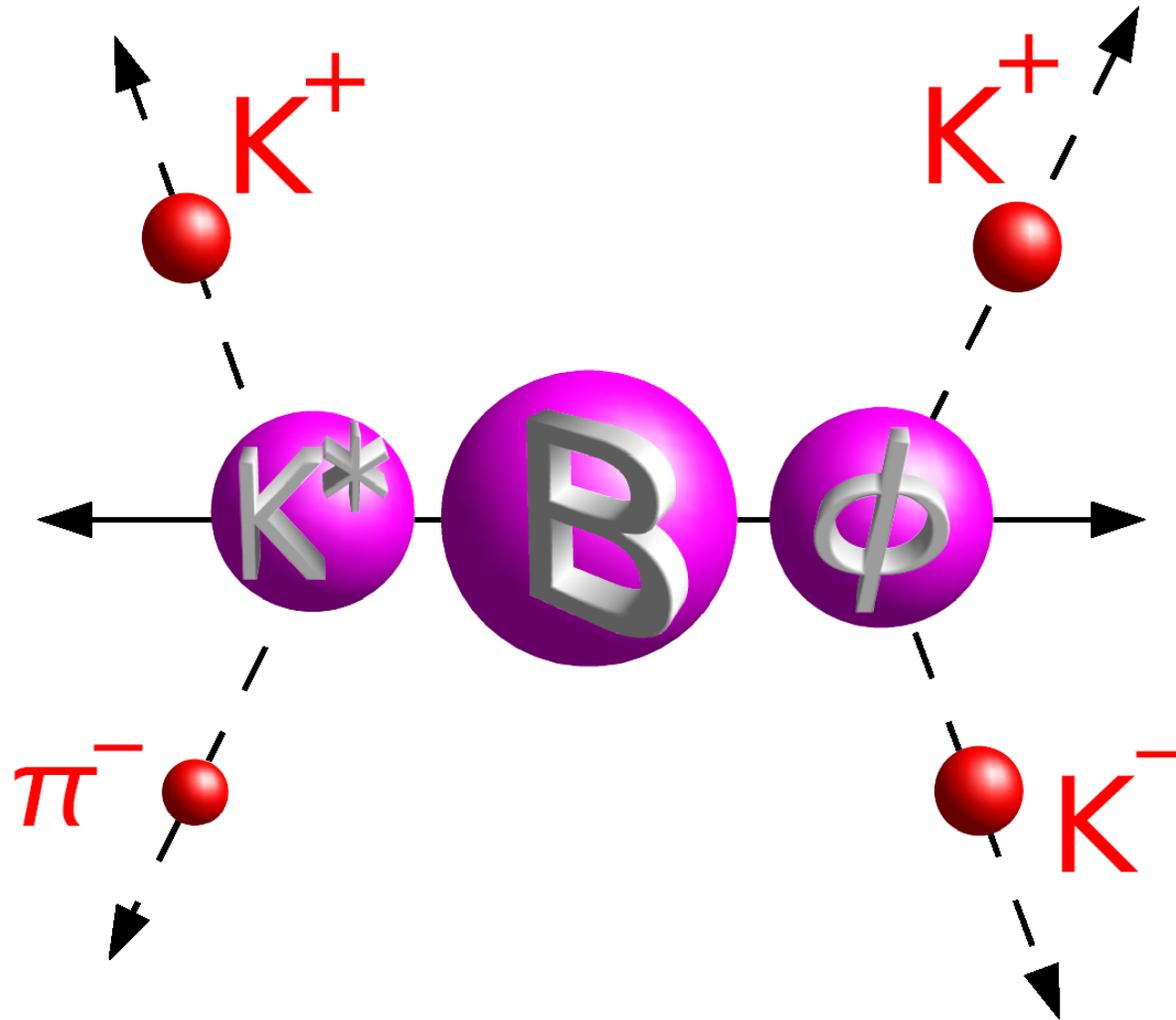
Kinematics of the Decay

- Find 4 “tracks”:

$$B^0 \rightarrow \phi K^{*0} \rightarrow (K^+ K^-)(K^+ \pi^-)$$

find $\sim 1-2/\text{week}$

rare < 1 in 100,000

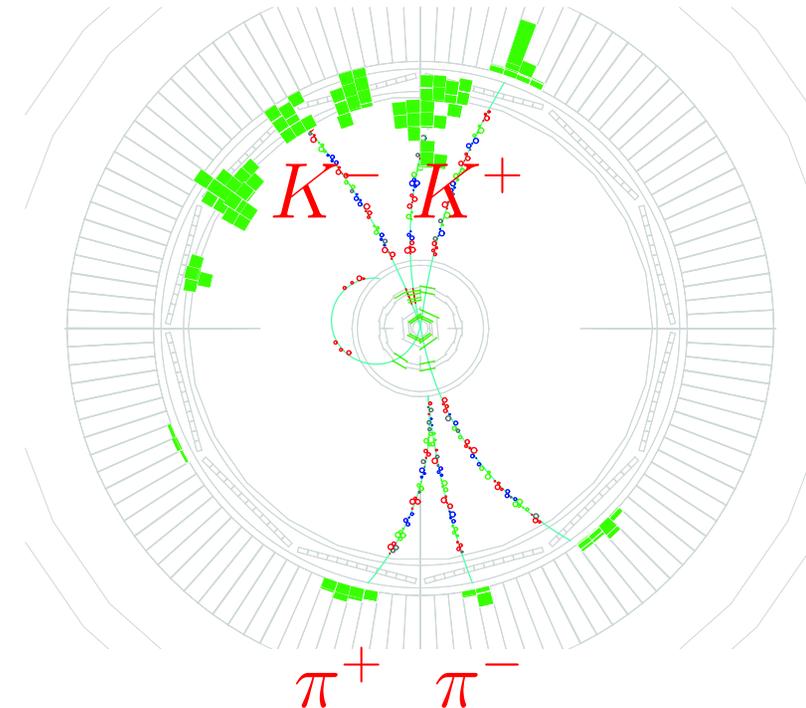
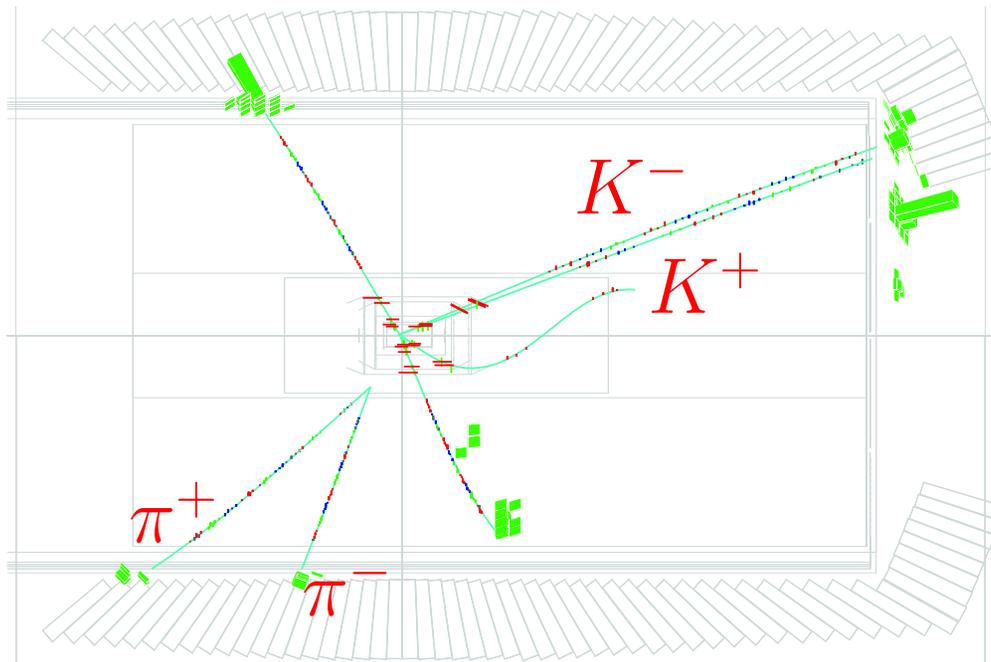


Reconstructing Kinematics in the Detector

- $B_{\text{A}}B_{\text{AR}}$ detector at SLAC:

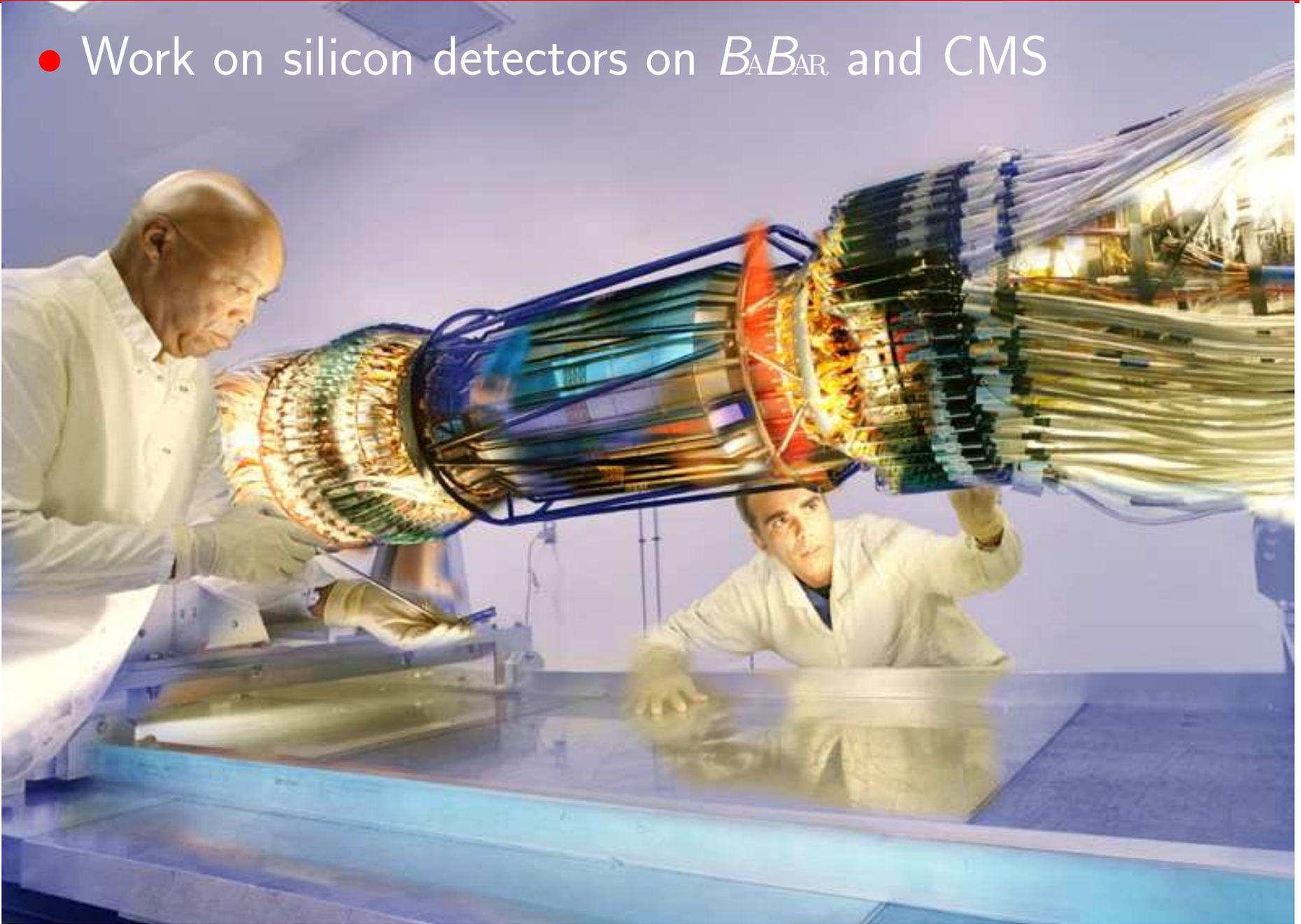
$$B^0 \rightarrow \phi K^{*0} \rightarrow (K^+ K^-)(K^+ \pi^-)$$

$$B^0 \rightarrow \phi K^0 \rightarrow (K^+ K^-)(\pi^+ \pi^-)$$

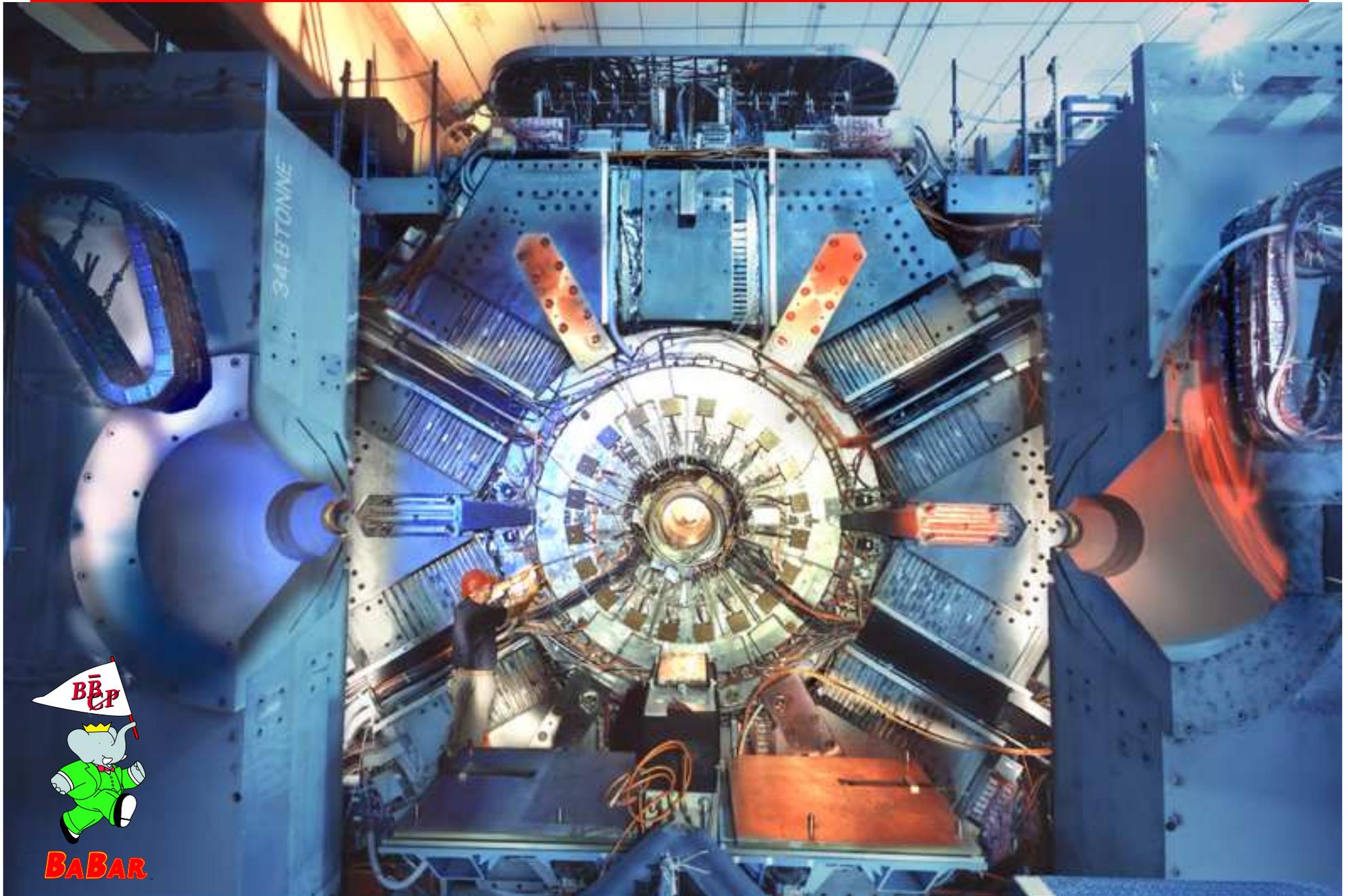


The Heart of the $B_{\text{A}}B_{\text{A}}\text{R}$ Detector

- Work on silicon detectors on $B_{\text{A}}B_{\text{A}}\text{R}$ and CMS

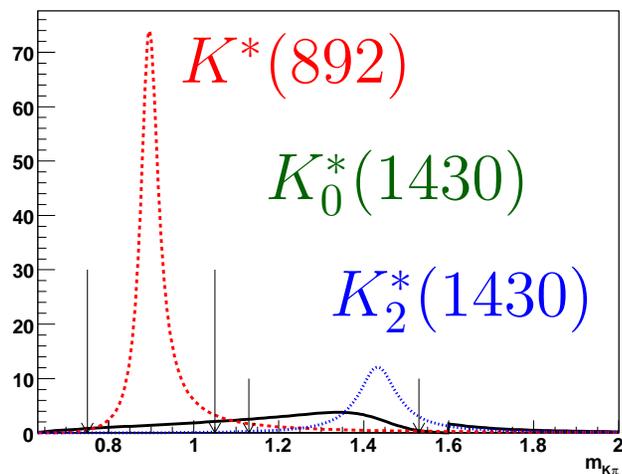
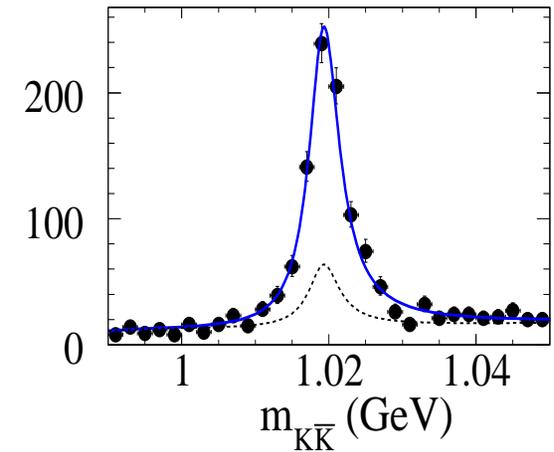
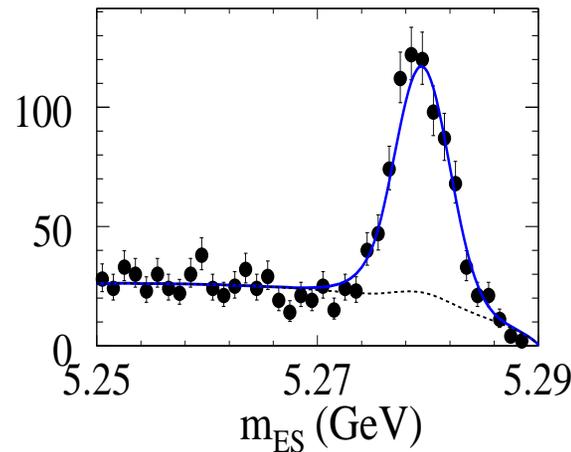
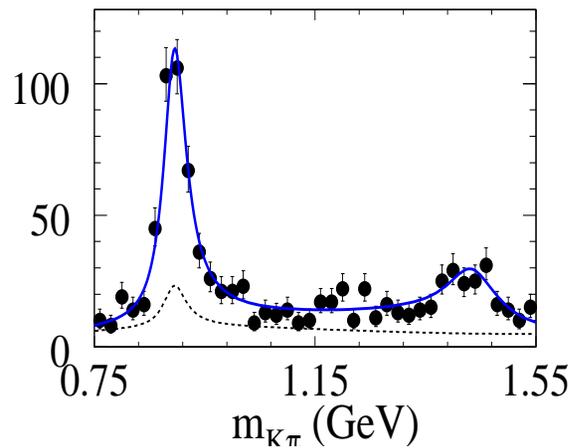
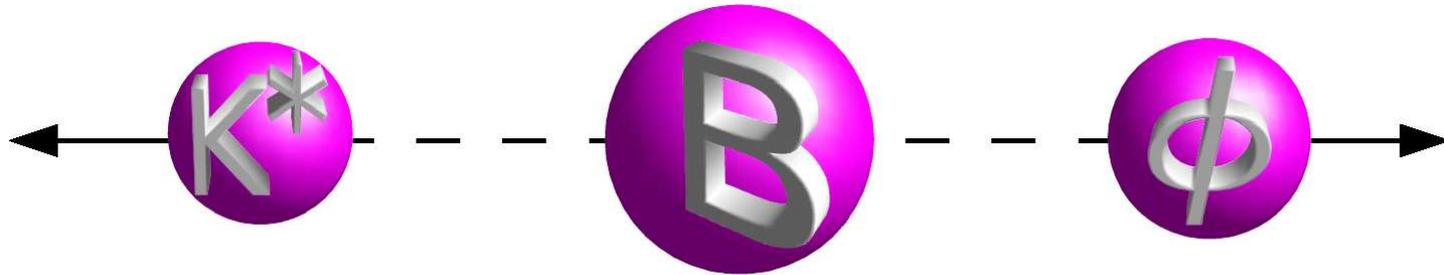


The *BABAR* Detector



Polarization Experiment

Finding the Signal

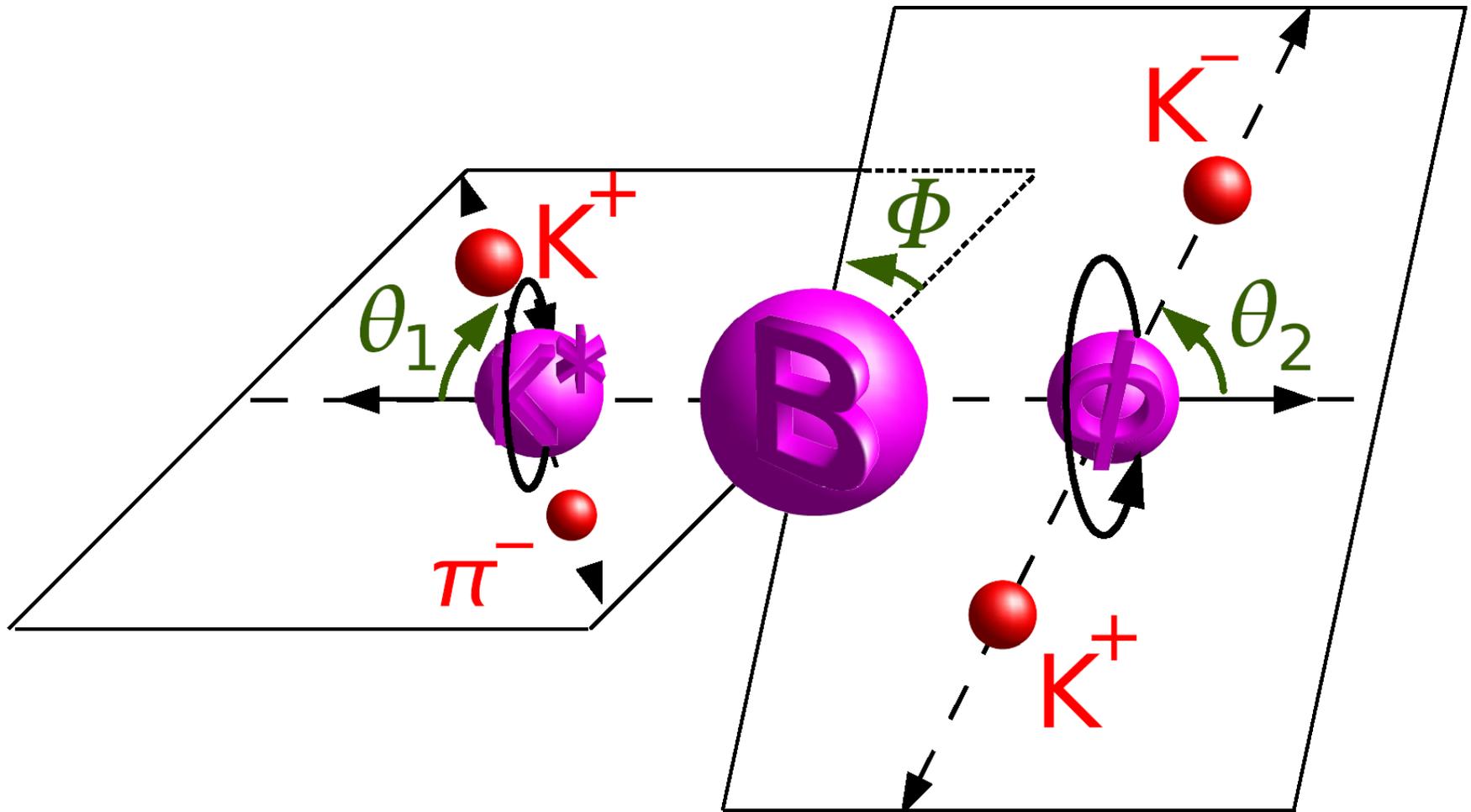


406 ± 29	$\phi K^*(892)$	(spin 1)
147 ± 23	$\phi K_0^*(1430)$	(spin 0)
133 ± 17	$\phi K_2^*(1430)$	(spin 2)

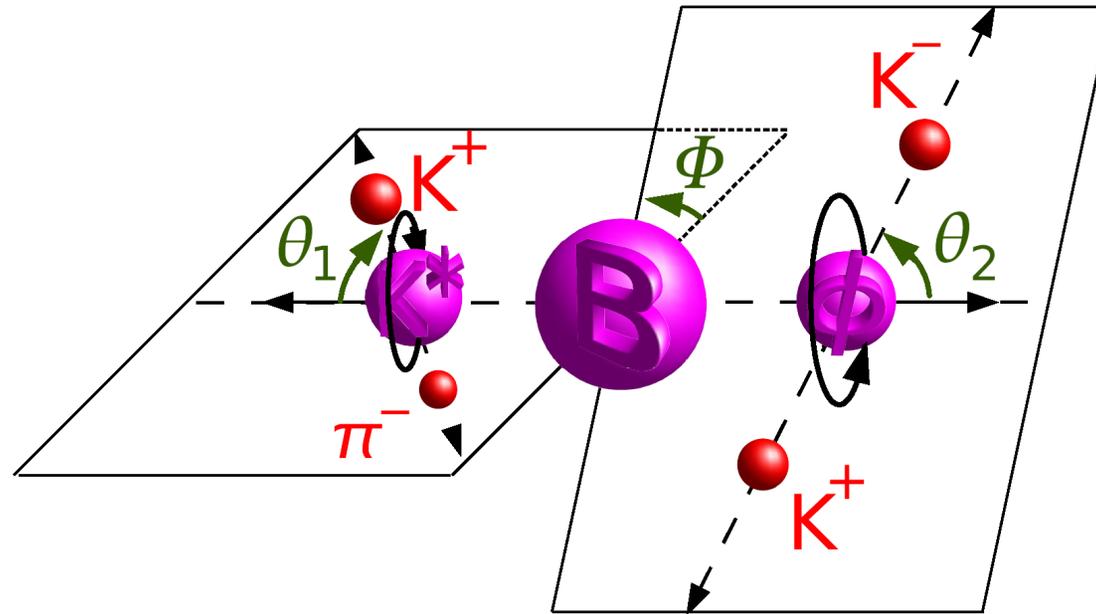
rate $\sim 10^{-5}$ of all B decays

Polarization Analysis

- Angular correlations \Rightarrow spin projection



Angular Measurements



$$\frac{d^3\Gamma}{d \cos \theta_1 d \cos \theta_2 d\Phi} \propto \left| \sum_{\lambda=-1,0,+1} A_\lambda \times Y_{J_1}^\lambda(\theta_1, \Phi) \times Y_{J_2}^{-\lambda}(\pi - \theta_2, 0) \right|^2$$

$$\propto \left\{ \frac{1}{4} \sin^2 \theta_1 \sin^2 \theta_2 \left(|A_{+1}|^2 + |A_{-1}|^2 \right) + \cos^2 \theta_1 \cos^2 \theta_2 |A_0|^2 \right.$$

$$+ \frac{1}{2} \sin^2 \theta_1 \sin^2 \theta_2 \left[\cos 2\Phi \operatorname{Re}(A_{+1}A_{-1}^*) - \sin 2\Phi \operatorname{Im}(A_{+1}A_{-1}^*) \right]$$

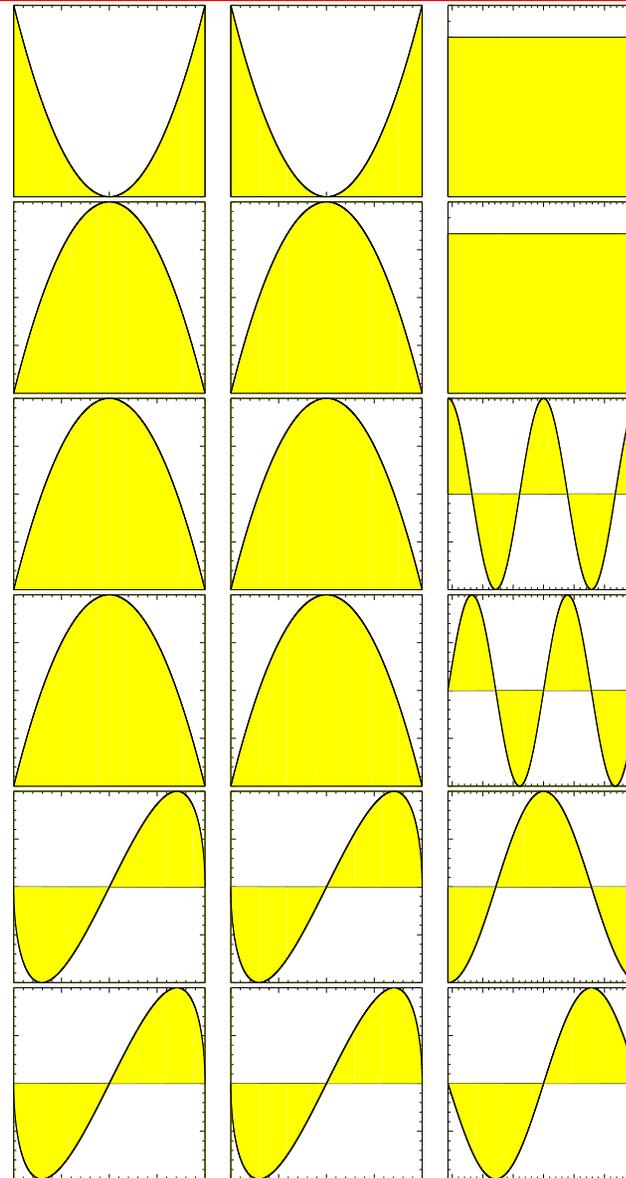
$$\left. + \frac{1}{4} \sin 2\theta_1 \sin 2\theta_2 \left[\cos \Phi \operatorname{Re}(A_{+1}A_0^* + A_{-1}A_0^*) - \sin \Phi \operatorname{Im}(A_{+1}A_0^* - A_{-1}A_0^*) \right] \right\}$$

Angular Distribution in Slices

- Expected only $|A_0|^2$

- Polarization basis
(like photon)

$$A_{\parallel,\perp} = (A_+ \pm A_-)/\sqrt{2}$$



$$\Rightarrow |A_0|^2$$

$$\Rightarrow |A_{\parallel}|^2 + |A_{\perp}|^2$$

$$\Rightarrow |A_{\parallel}|^2 - |A_{\perp}|^2$$

$$\Rightarrow \text{Im}(A_{\perp} A_{\parallel}^*)$$

$$\Rightarrow \text{Re}(A_{\parallel} A_0^*)$$

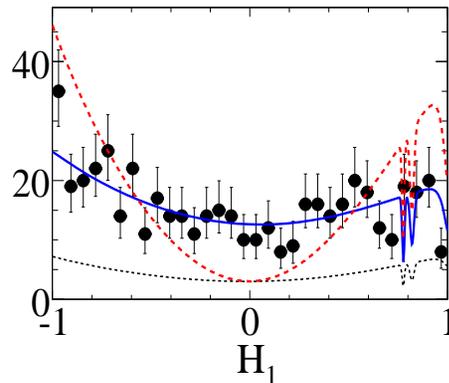
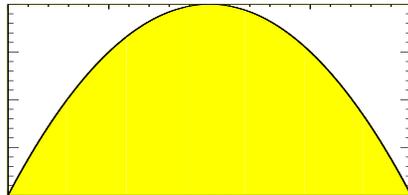
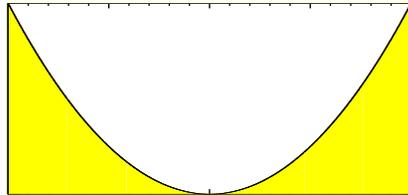
$$\Rightarrow \text{Im}(A_{\perp} A_0^*)$$

$\cos \theta_1$ $\cos \theta_2$ $\Phi \times \text{acceptance}$

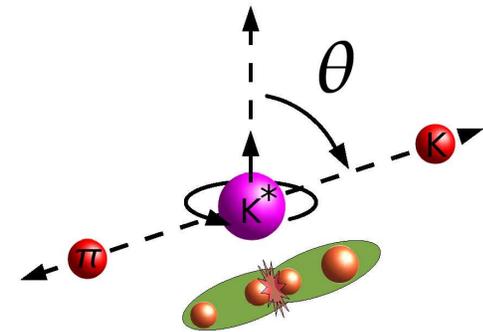
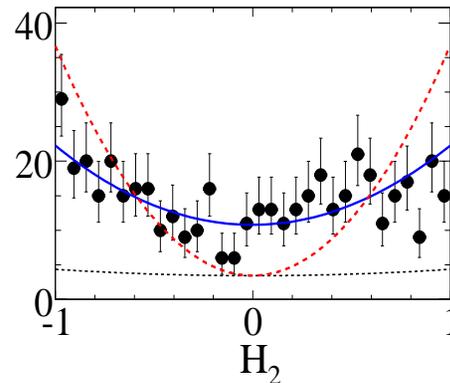
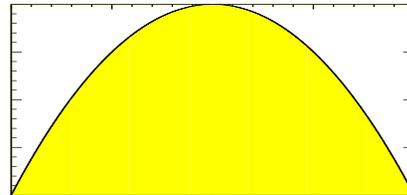
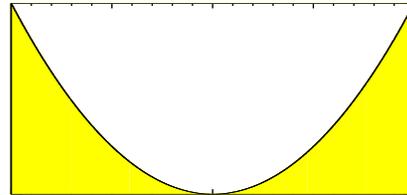
The Result: Polarization Anomaly

- With two angles:

$\cos \theta_1 (K^*)$



$\cos \theta_2 (\phi)$



$$|A_0|^2 \times |Y_1^0(\theta)|^2$$

$$|A_+|^2 + |A_-|^2 \times |Y_1^{\pm 1}(\theta)|^2$$

$$\Rightarrow |A_0|^2 \simeq |A_+|^2 + |A_-|^2$$

- Polarization anomaly:

$$|A_0|^2 / (|A_+|^2 + |A_-|^2 + |A_0|^2) = 0.506 \pm 0.040 \pm 0.015 \neq 1$$

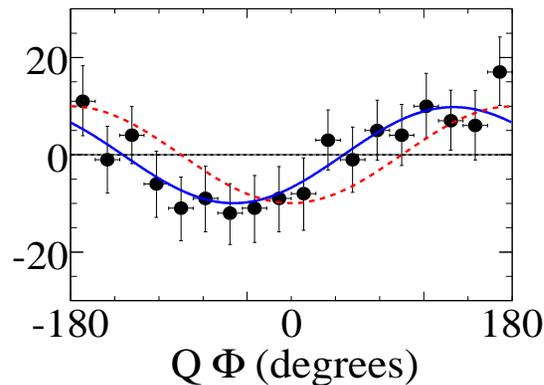
The Results

- Complex analysis with 12 independent results:

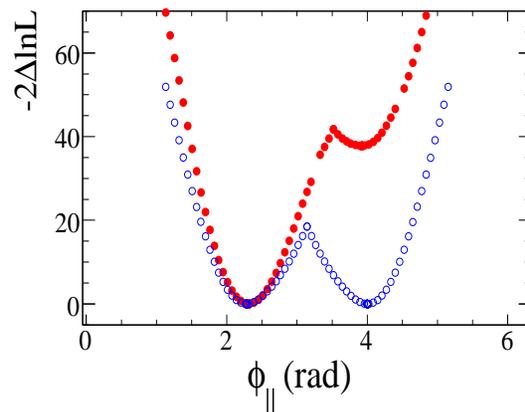
B (matter): $|A_0|, |A_+|, |A_-|, \arg(A_0), \arg(A_+), \arg(A_-)$

\bar{B} (antimatter): $|\bar{A}_0|, |\bar{A}_+|, |\bar{A}_-|, \arg(\bar{A}_0), \arg(\bar{A}_+), \arg(\bar{A}_-)$

- Examples:



$$\Rightarrow \arg(A_0) \neq \arg(A_{\pm})$$



$K^*(892)/K_0^*(1430)$ interference

resolve $|A_+|^2 \gg |A_-|^2$

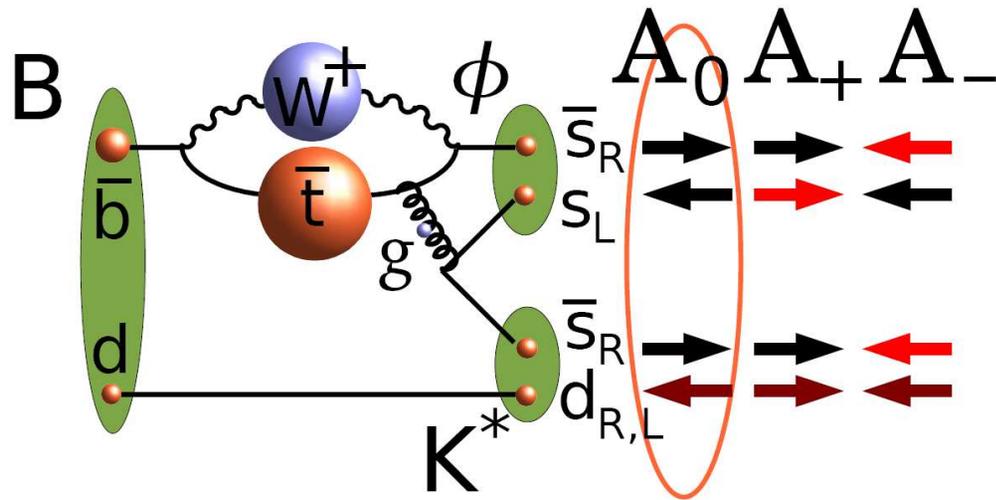
- Bottom line:

$$|A_0|^2 \simeq |A_+|^2 \gg |A_-|^2$$

$$\arg(A_0) \neq \arg(A_+)$$

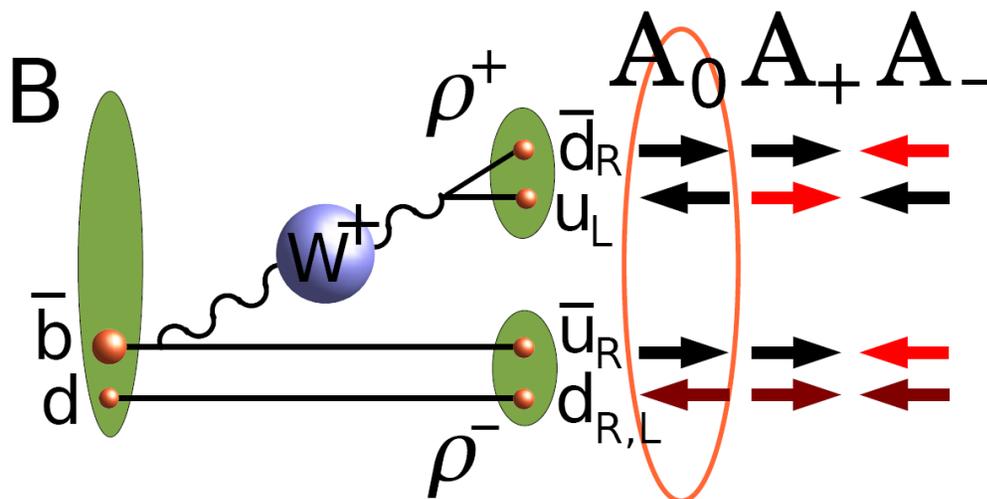
Spin Does Not Flip

- Observation $|A_0|^2 \simeq |A_+|^2 \gg |A_-|^2$ violates expectation



$$|A_0|^2 \gg |A_+|^2 \gg |A_-|^2$$

- It **works**: $B \rightarrow \rho^+ \rho^-$ $|A_0|^2 / (|A_+|^2 + |A_-|^2 + |A_0|^2) = 0.968 \pm 0.023$

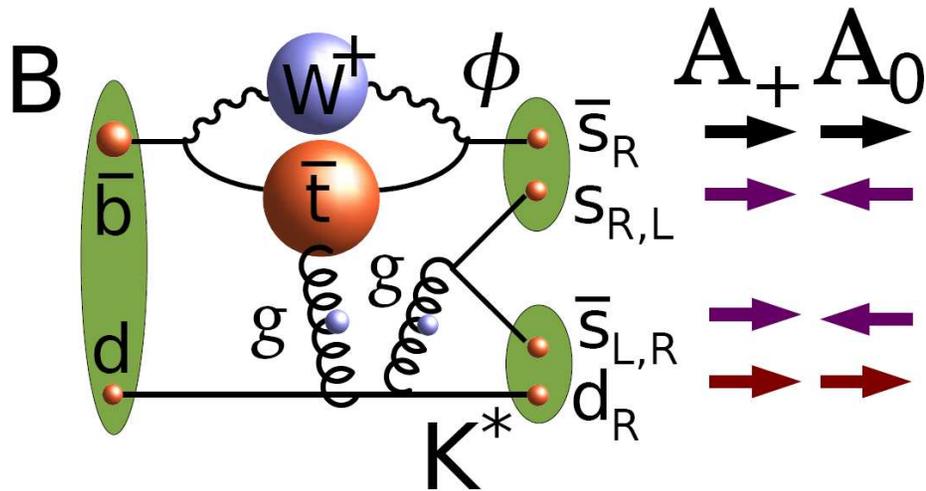


no loop contribution

ideal for *CP* studies in SM
(seminar last December)

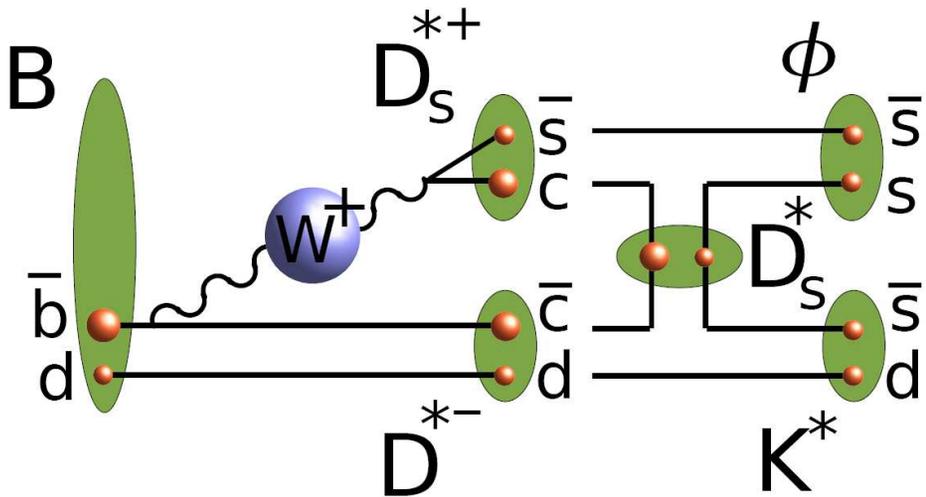
Scrambling to Explain A_+

- “Annihilation” mechanism



gluon to other quark
 unlikely $\sim 1/m_B$
 need to cancel A_0

- “Rescattering” mechanism (final state interaction)



spin-flip heavy $> 2\text{GeV}$ states
 violates both $|A_0|^2 \gg |A_{\pm}|^2$
 and $|A_+|^2 \gg |A_-|^2$

- No satisfactory solution

Try Different Spin of K^*

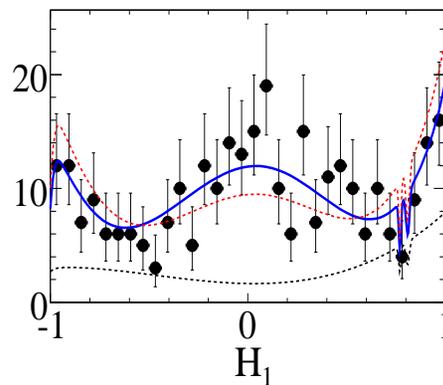
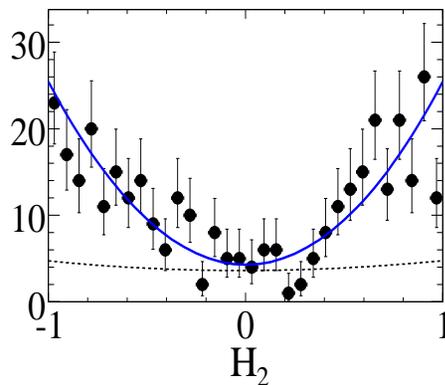
- $B^0 \rightarrow \phi K_2^*(1430)^0$ (spin-2)
 - would also expect “annihilation” or “rescattering”
- No anomaly:

$$|A_0|^2 / (|A_+|^2 + |A_-|^2 + |A_0|^2) = 0.853_{-0.069}^{+0.061} \pm 0.036 \gg 0.5$$

- Angular distribution:

$$|Y_1^{\lambda=\pm 1}(\theta_2, 0)|^2 \quad |Y_2^{\lambda=\pm 1}(\theta_1, \Phi)|^2 \quad \Rightarrow \quad |A_+|^2 + |A_-|^2$$

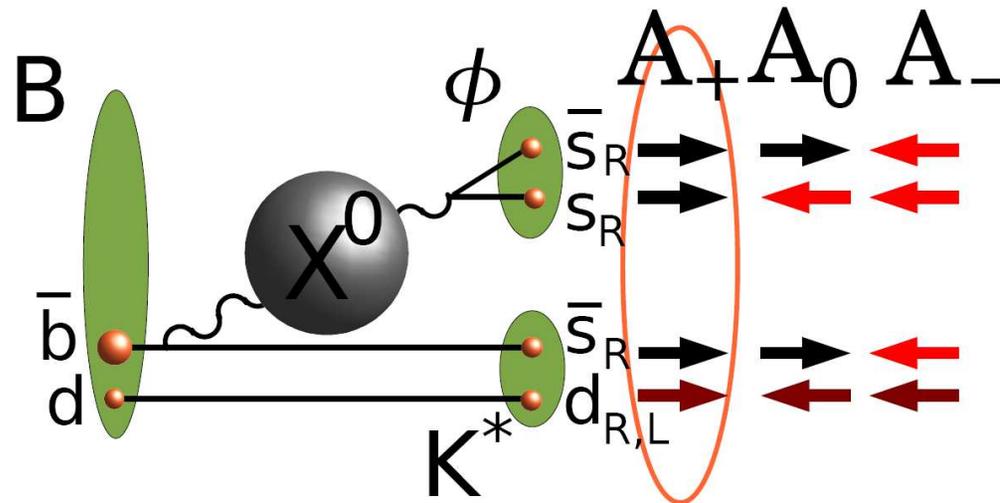
$$|Y_1^{\lambda=0}(\theta_2, 0)|^2 \quad |Y_2^{\lambda=0}(\theta_1, \Phi)|^2 \quad \Rightarrow \quad |A_0|^2$$



$$\Rightarrow |A_0|^2 \gg |A_+|^2 + |A_-|^2$$

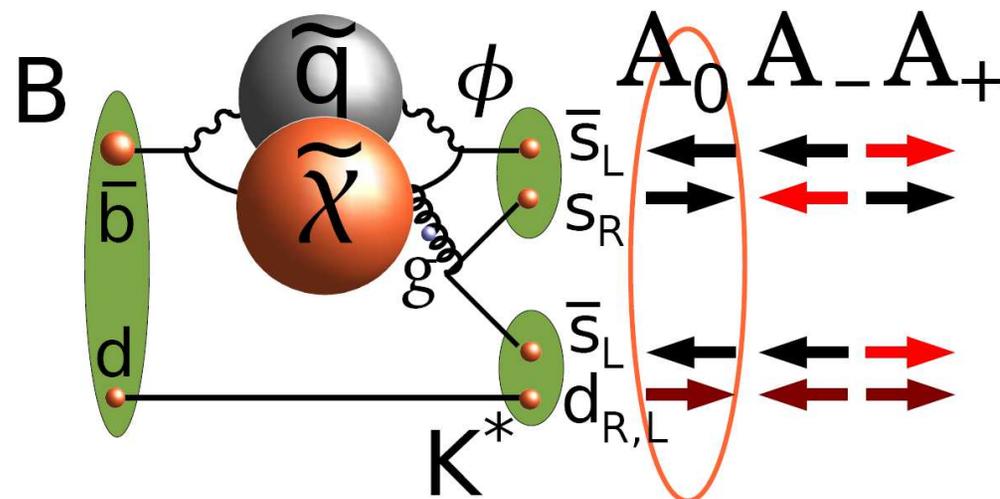
Intriguing Possibility of New Physics

scalar (or tensor) interaction



ideal origin of A_+
 exotic $\bar{q}(1 + \gamma^5)q$

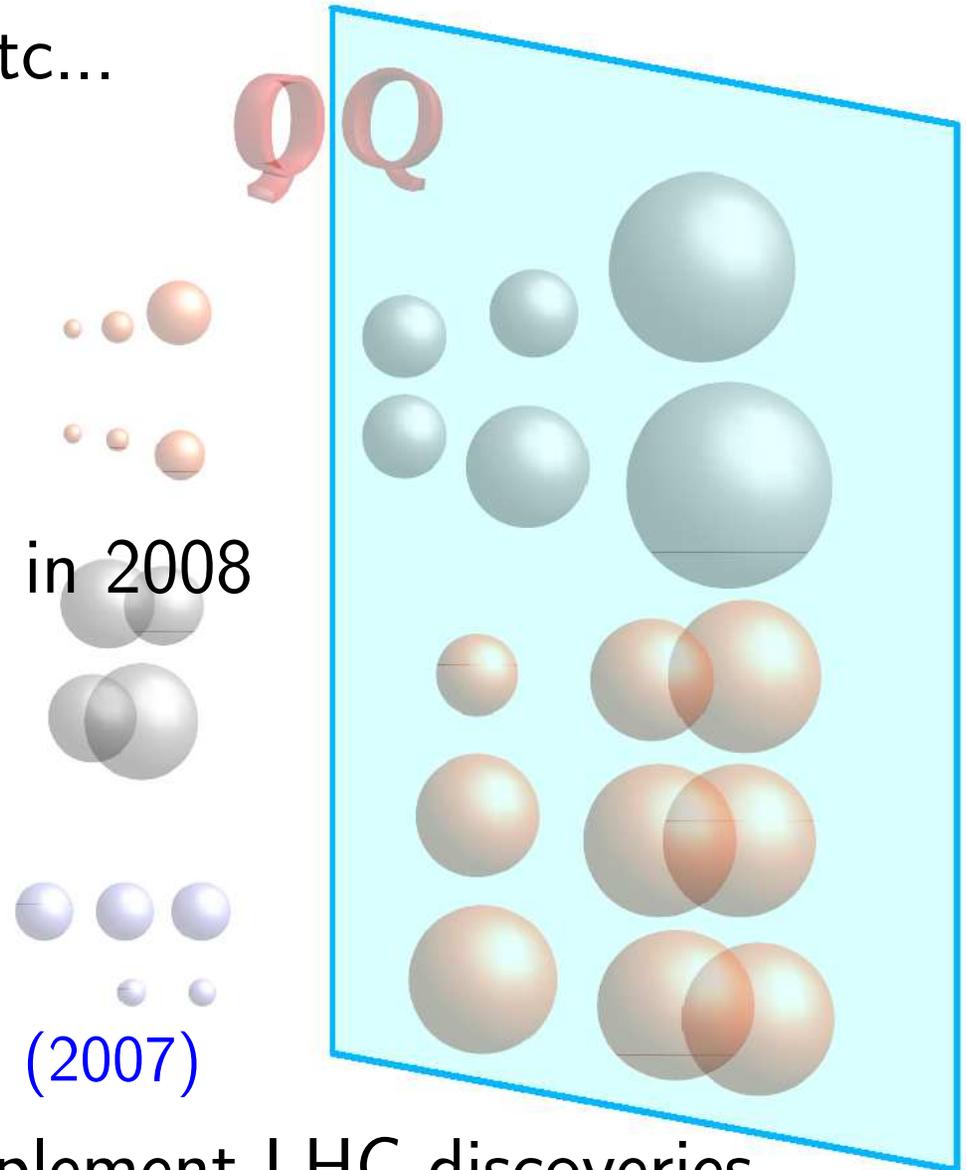
supersymmetry



less ideal
 $\bar{q}\gamma^\mu(1 + \gamma^5)q$

Summary: the Uncertainty Principle, the Quarks, and the Search for New Physics

- Particles physics: **Quarks**, etc...
 - very **successful**
 - **incomplete**
- Searching for **New Physics**
 - get to **large mass** at LHC in 2008
- Use **Uncertainty Principle**
 - look for **hints**
 - **polarization puzzle**
[Phys. Rev. Lett. 98, 051801 \(2007\)](#)
 - first hints (?) would complement LHC discoveries



Johns Hopkins BABAR Group

A.G.

Zijin

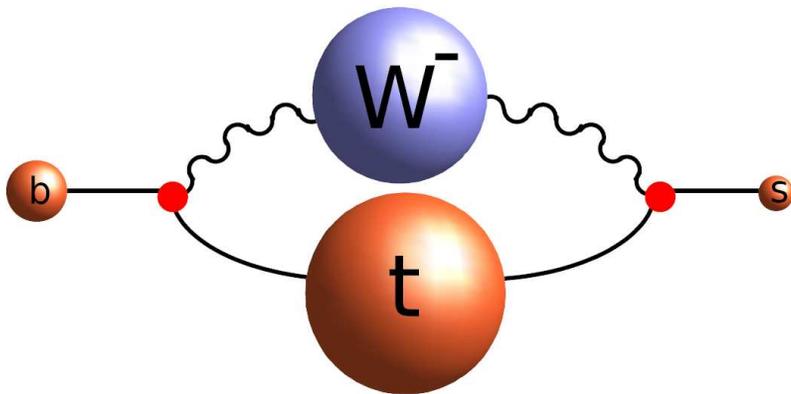
Yanyan



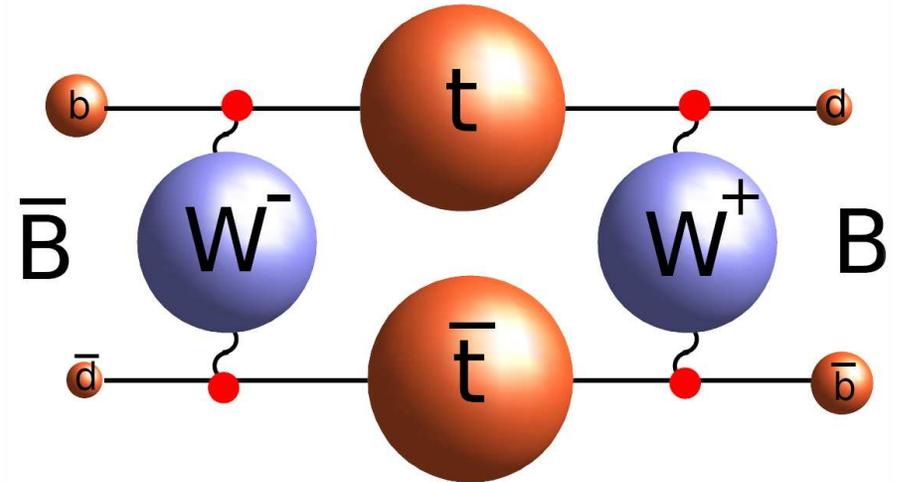
BACKUP SLIDES

Loops

“penguin” loop



mixing “box”



- B -meson physics: test $A = |A| \times e^{i\phi}$

(1) transition rate $|A|^2$

(2) phase $\phi = \arg(A)$

Best constraints on supersymmetry and New Physics

Computing and Analysis

- *BABAR* ~ **Petabyte** of data

> billion “events” (*B*’s are minority)

- (1) Huge combinatorics, reduce to **few 1000** events

$$\vec{x}_j = (m_B, m_\phi, m_{K^*}, \theta_1, \theta_2, \Phi, \dots)$$



- (2) Extract ~ **few 100 signal** events and **parameters**

$$\text{likelihood } \mathcal{L} = \exp\left(-\sum_i n_i\right) \prod_{j=1}^N \left(\sum_i n_i \mathcal{P}_i(\vec{x}_j; \vec{\xi})\right) = \text{maximum}$$

